Modelling and Animating Human Figures



Introduction

Modeling and animating an articulated figure is one of the most formidable tasks that an animator can be faced with. It is especially challenging when the figure is meant to realistically represent a human. There are several major reasons for this. First, the human figure is a very familiar form. This familiarity makes each person a critical observer. When confronted with an animated figure, a person readily recognizes when its movement does not "feel" or "look" right. Second, the human form is very complex, with more than two hundred bones and six hundred muscles. When fully modeled with linked rigid segments, the human form is endowed with approximately two hundred DOF.



Virtual Human Representation

Body geometry
polygonal representations
patch representations
subdivision surfaces
implicit surfaces



Geometry

Data acquisition
Geometry deformation
Surface Detail
Layered approach



Image courtesy of Adaptive Perception



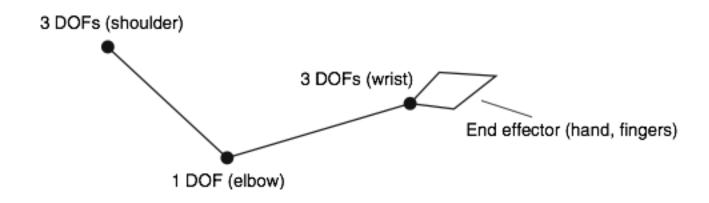


Reaching

Modeling the arm
The shoulder joint
The hand
Coordinated movement
Obstacles
Strength



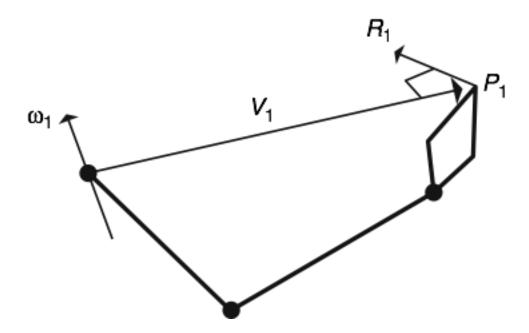
Modeling the Arm



Basic model of the human arm

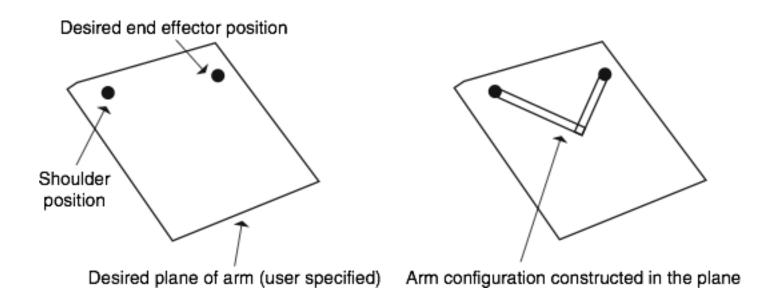


Modeling the Arm



Effect of the first DOF on the end effector: $R_1 = \omega_1 \times V_1$

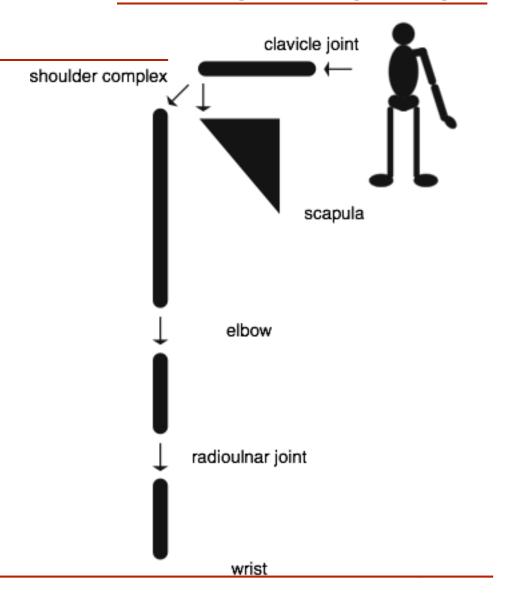
Modeling the Arm



Constructing the arm in a user-specified plane

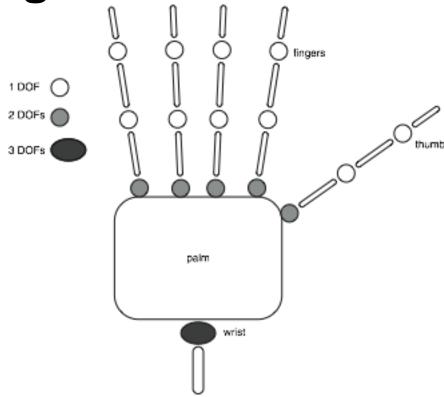


Modeling the Shoulder





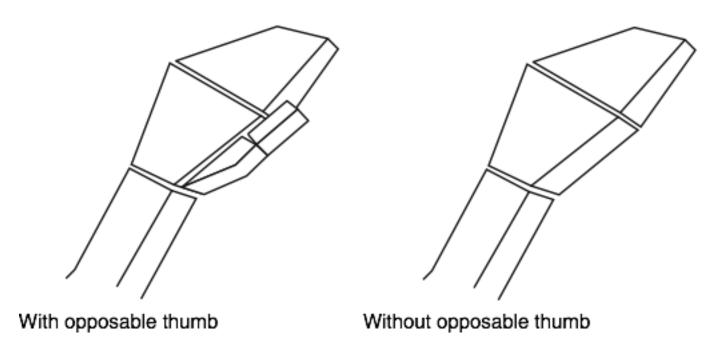
Modeling the Hand



Simple model of hands and fingers



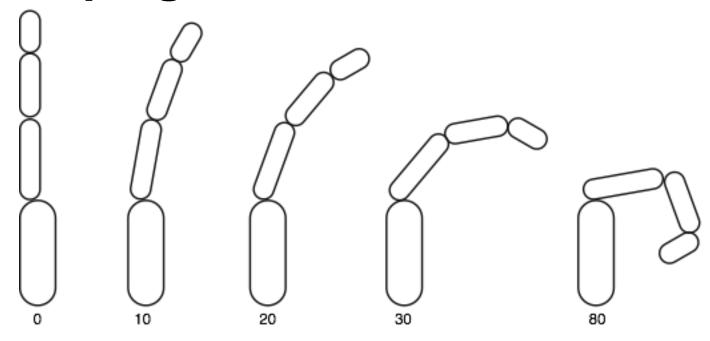
Grasping



Simplified hands



Grasping



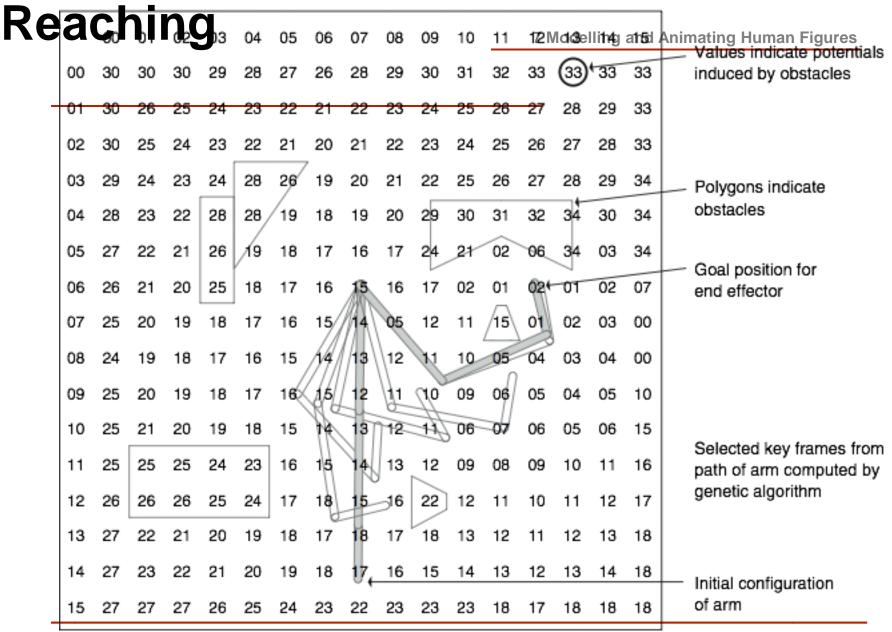
Finger flexion controlled by single parameter; the increase in joint angle (in degrees) per joint is shown

Reaching

To further complicate the specification and control of reaching motion, there may be obstacles in the environment that must be avoided. Of course, it is not enough to merely plan a collision-free path for the end effector. The entire limb sweeps out a volume of space during reach that must be completely devoid of other objects to avoid collision.

Genetic algorithms, for example, have been used to search the space for an optimal path. The genetic fitness function can be tailored to find an optimal path in terms of one of several criteria such as shortest end effector distance traveled, minimum torque, and minimum angular acceleration.







Walking

Walking, along with reaching, is one of the most common activities in which the human form engages. An aspect that differentiates walking from typical reaching motions is that it is basically cyclic. While its cyclic nature provides some uniformity, acyclic components such as turning and tripping occur periodically. In addition, walking is responsible for transporting the figure from one place to another and is simultaneously responsible for maintaining balance. Thus, dynamics plays a much more integral role in the formation of the walking motion than it does in reaching.

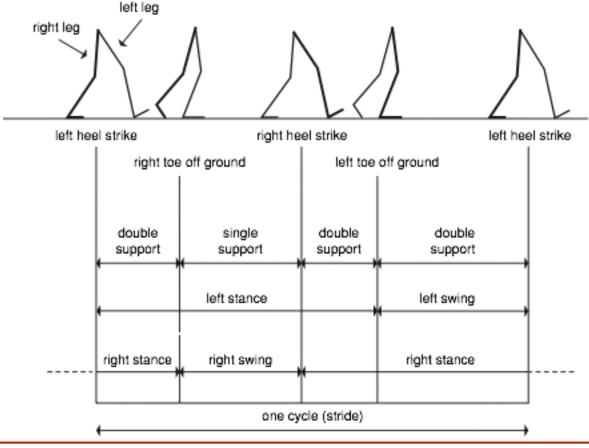


Walking

The mechanics of locomotion walk cycle run cycle Pelvic transport Pelvic rotation Pelvic list Knee flexion Ankle and toe joints

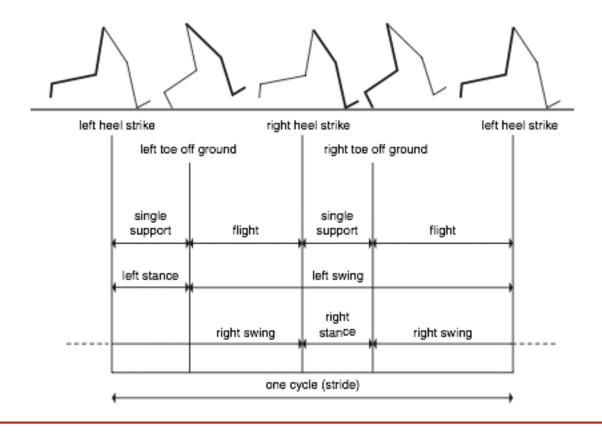


Anatomy of the Walk (walk cycle)





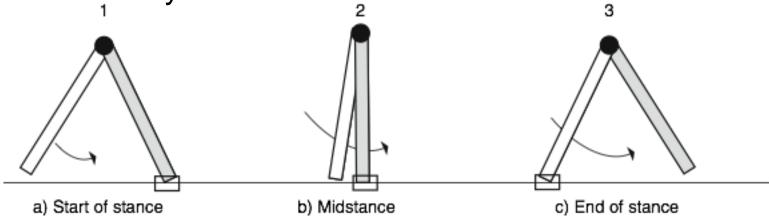
Anatomy of the Run (run cycle)





Kinematics of the Walk

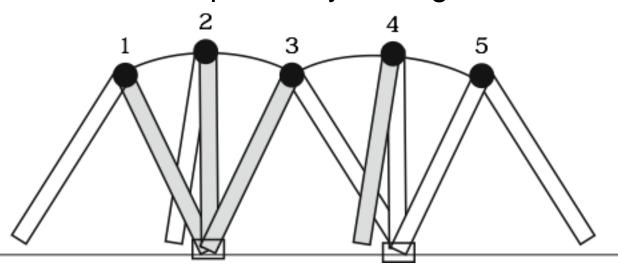
For present purposes, let the pelvis represent the mass of the upper body being transported by the legs. Using a simplified representation for the legs, the image below shows how the pelvis is supported by the stance leg at various points during the stance phase of the walk cycle.





Kinematics of the Walk

The image below shows these positions superposed during a full stride and illustrates the abutting of two-dimensional circular arcs describing the basic path of the pelvis as it is transported by the legs.



Kinematics of the Walk

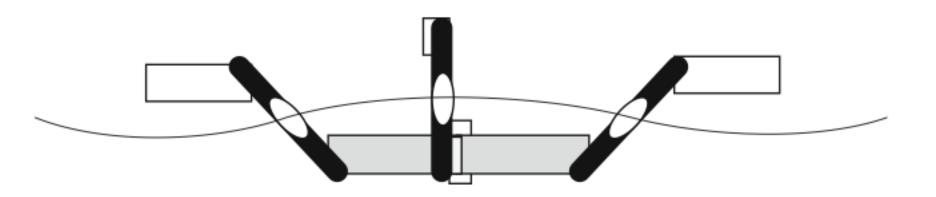
The pelvis represents the connection between the lefs and the structure that separates the legs in the third dimension. The pelvis rotates about a vertical axis centered at the stance leg, helping to lengthen the stride as the swing leg stretches out for its new foot placement.





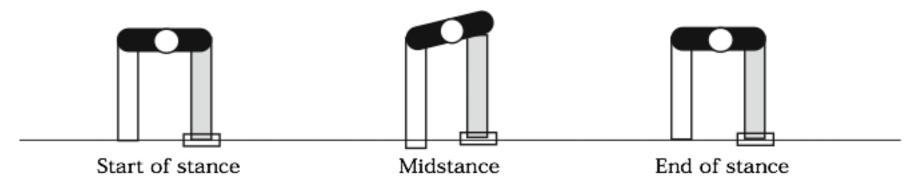
Kinematics of the Walk

The path of the center of the pelvis resembles a sinusoidal curve:



Kinematics of the Walk

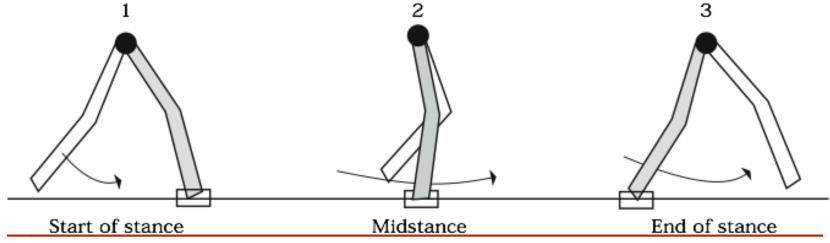
The transport of the pelvis requires the legs to lift the weight of the body as the pelvis rotates above the point of contact with the floor. To reduce the amount of lift, the pelvis lists by rotating in the coronal plane, i.e. the plane perpendicular to the ground that divides the body into front and back halves.





Kinematics of the Walk

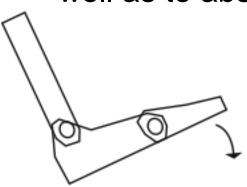
In a pelvic list with one-piece legs, the swing leg would penetrate the floor. Bending the knee joint allows the swing leg to safely pass over the floor and avoid contact. Flexion at the knee of the stance leg also produces some leveling out of the pelvis arcs produced by the rotation of the pelvis over the point of contact with the floor.

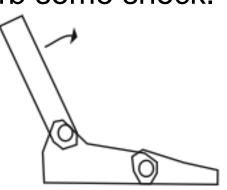


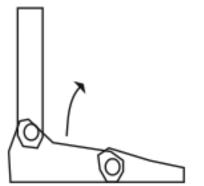


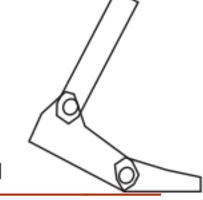
Kinematics of the Walk

The final part of the puzzle to the walking motion is the foot complex, consisting of the ankle, the toes, and the foot itself. This complex comprises several bones and many DOF and can be simply modeled as two hinge joints per foot. The ankle and toe joints serve to further flatten out the rotation of the pelvis above the foot as well as to absorb some shock.



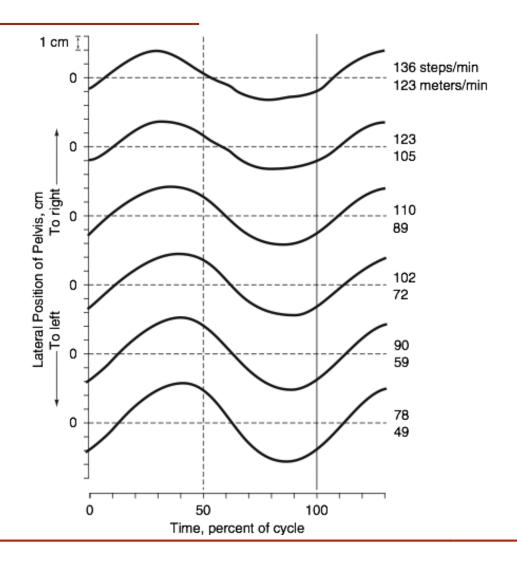




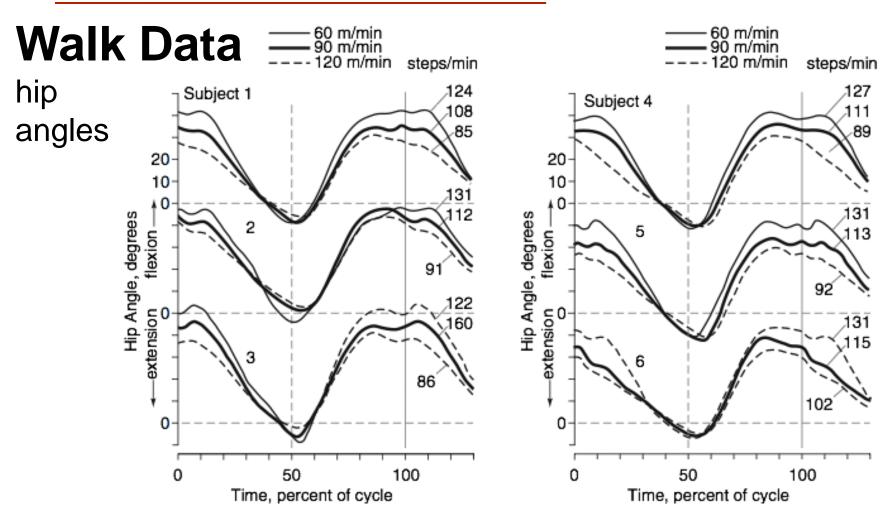


Walk Data

lateral displacement of pelvis



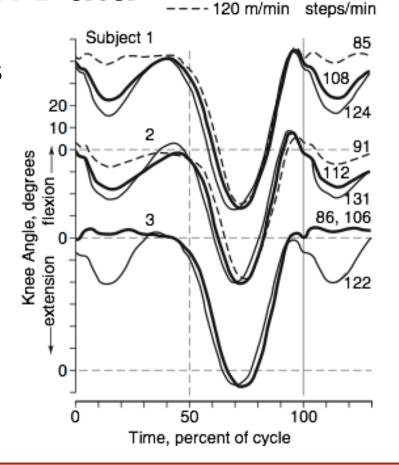




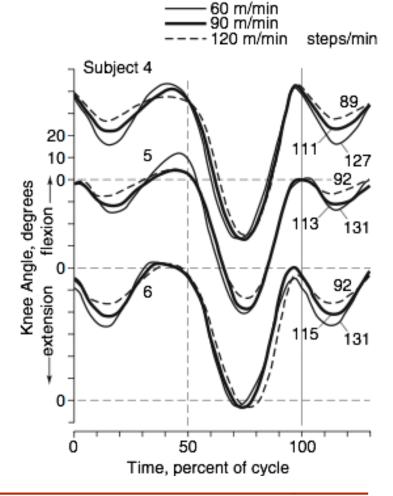


Walk Data

knee angles

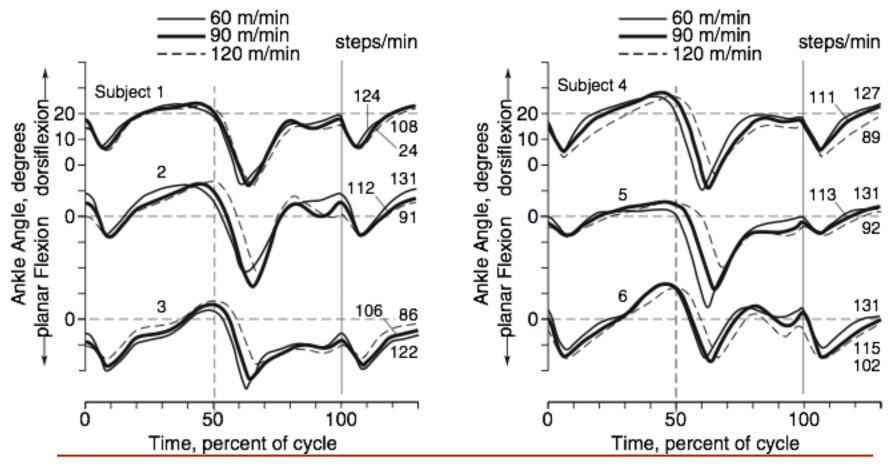


60 m/min 90 m/min





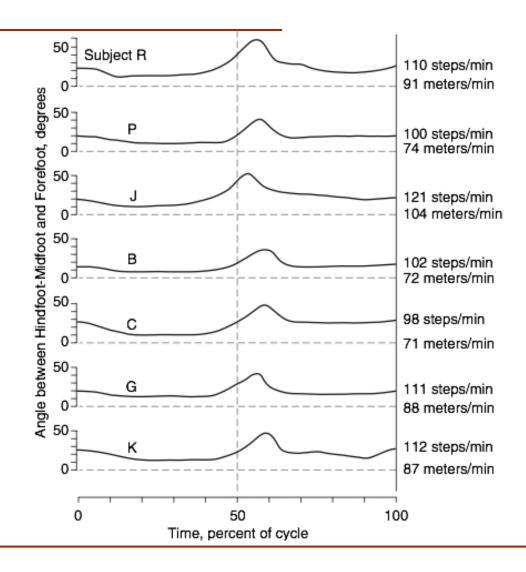
Walk Data ankle angles





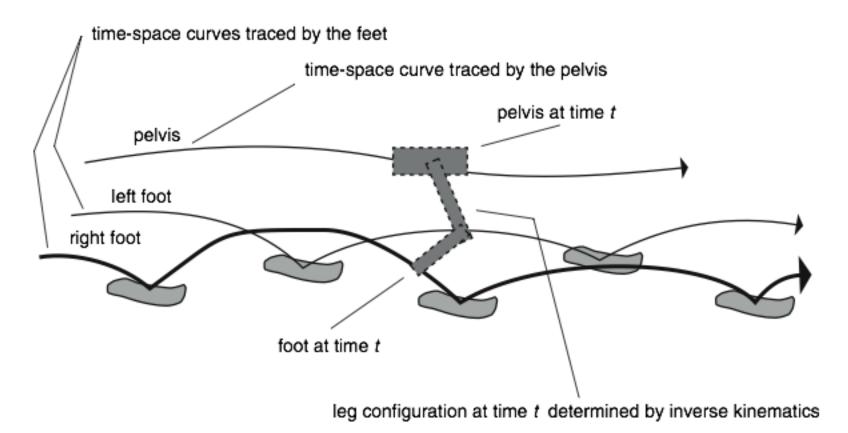
Walk Data

toe angles





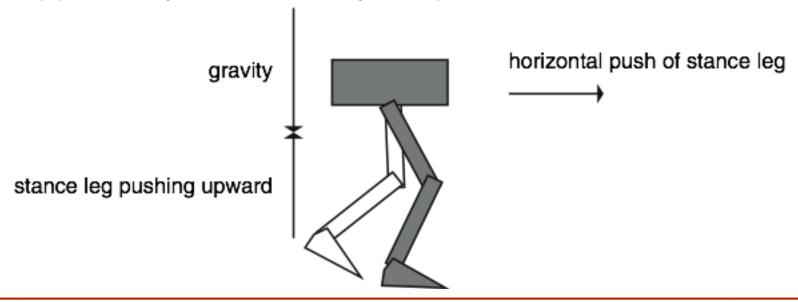
Using Dynamics in the Walk





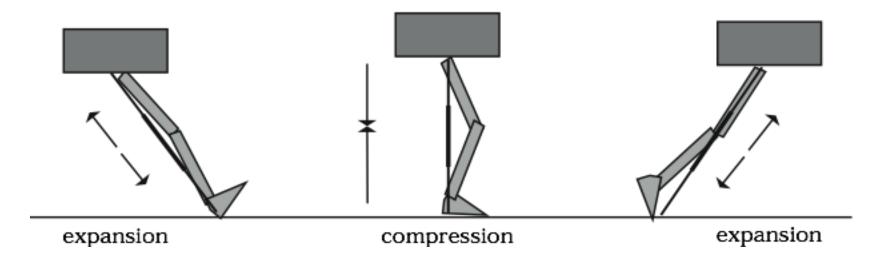
Using Dynamics in the Walk

In achieving the proper motion of the upper body, the legs are used to impart forces to the mass of the upper body as carried by the pelvis.



Using Dynamics in the Walk

More physics can be introduced into the lower body by modeling the leg dynamics with a telescoping joint (implemented as a parallel spring-damper system):





Human Walk Cycle (link)





Dressing the Figure

Cloth and clothing
Simple draping
Clothes
Modeling dynamics
Collision detection and response



Dressing the figure – Simple Draping

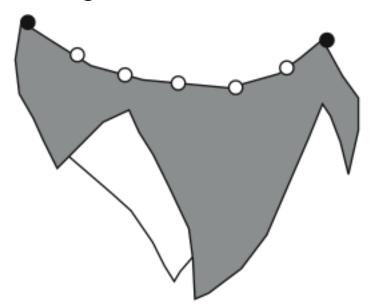
In the special case of a cloth supported at a fixed number of constrained points, the cloth will drape along welldefined lines. The cloth is represented as a twodimensional grid of points located in three-space with certain of the grid points constrained to a fixed position.

The procedure takes place in two stages. In the first stage, an approximation is made to the draped surface within the convex hull of the constrained points. The second stage is a relaxation process that continues until the maximum displacement during a given pass falls below a user-defined tolerance

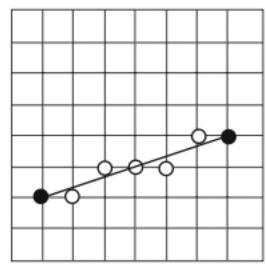


Dressing the Figure

Catenary curves traced between paired constrained points are generated using vertices of the cloth that lie along the line between constrained vertices.



Cloth supported at two constrained points



Constrained points in grid space



Dressing the Figure

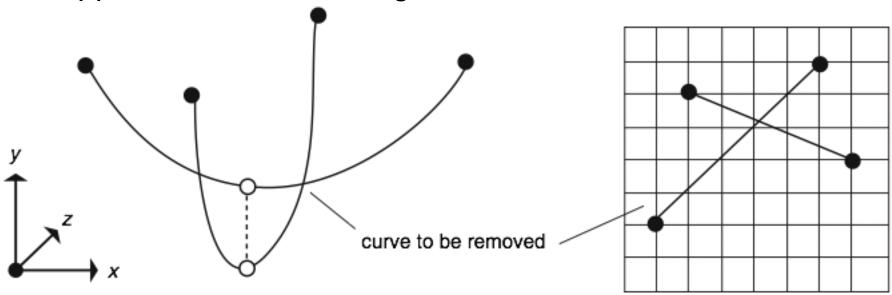
Catenary curves:

The curve theoretically assumed by a perfectly flexible and inextensible cord of uniform density and cross section hanging freely from two fixed points.



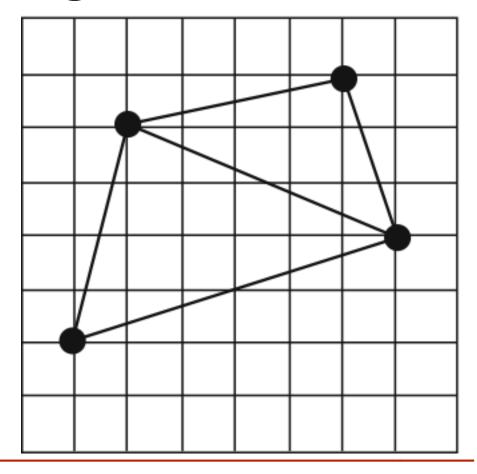
Dressing the Figure

If two catenary curves cross each other in grid space, then the lower of the two curves is simply removed. The reason for this is that the catenary curves essentially support the vertices along the curve.



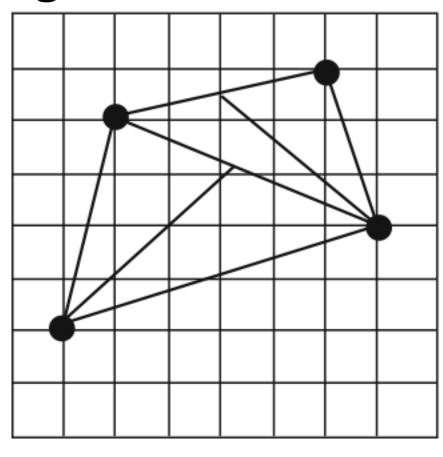
Dressing the Figure

A catenary curve is traced between each pair of constrained vertices, After the lower of two crossing catenary curves is removed, a triangulation is produced.



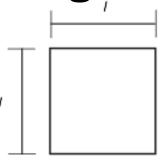
Dressing the Figure

Each of these triangles is repeatedly subdivided by constructing a catenary from one of the vertices to the midpoint of the opposite edge on the triangles. This is done for all three vertices of the triangle. The highest of the three catenaries so formed is kept and the others are discarded. This continues until all interior vertices have been positioned.

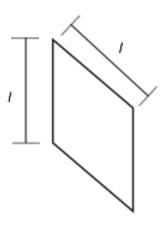


Dressing the Figure

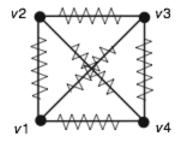
The dynamics of the cloth can then be modeled using a spring-damper system. Diagonal springs can be used to control distortions.



(a) Original quadrilateral of mesh



(b) Skew of original quadrilateral without changing the length of edges

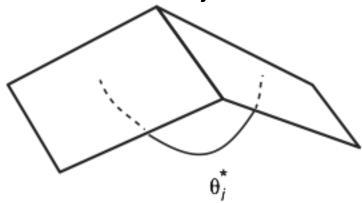


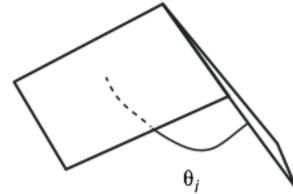
(c) Diagonal springs to control skew



Dressing the Figure

Bending can be controlled by either restricting the dihedral angles (the angle between adjacent quadrilaterals) or controlling the separation among a number of adjacent vertices:





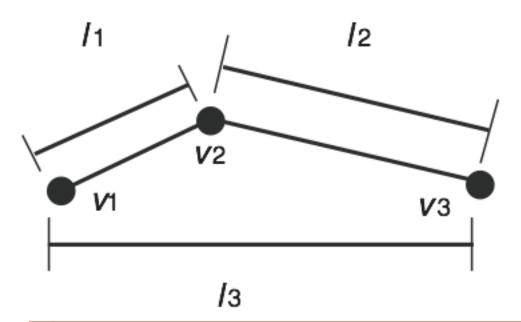
Original dihedral angle

Bending along the edge that changes dihedral angle



Dressing the Figure

Bending can also be controlled by considering the separation of adjacent vertices in the direction of the warp and weft of the material:



$$I_1 = |v_2 - v_2|$$

$$I_2 = |v_3 - v_2|$$

$$13 = |v3 - v1|$$

Dressing the Figure - Sample

Computer Animation

Seoul National University / School of Computer Science & Engineering



Hair

Complexity
rigid
springs
articulated linkages



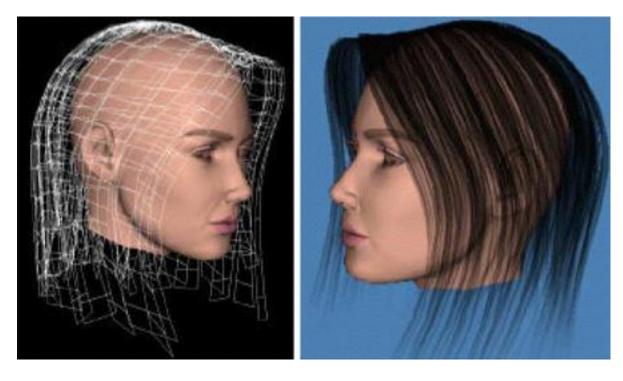
Hair

Hair modeled as rigid geometry





Hair



Hair modeled as strips of strands



Hair





Hair modeled using multiple levels of detail

Hair

Example: the movie *monsters*

