



Motivation

Information Visualization attempts to visualize a wider spectrum of data types than Scientific Visualization. The latter mainly focuses on so-called physical data. In many cases, the nature of the data implies a certain type of visualization. However, Information Visualization attempts to help users form a mental image about data that has no physical placement. Information has no innate shape and color, so its visualization has a purely abstract character. Information Visualization covers areas, such as visual reasoning, visual data modeling, visual programming, visual information retrieval and browsing, and spatial reasoning.



Data types

File systems, internet connections, network of streets, and communications systems are examples of connected structures which can be modeled using a graph of different specializations. The most common types of graphs are:

- Undirected graph: this is a tuple $G = \{V, E\}$ with a set of nodes $V = \{v_1, ..., v_n\}$ and a set of edges $E = \{(v_i, v_j)\} \subset \{(v_i, v_j) | I, j = 1, ..., n; i \neq j\}$. Often times, there are more data elements attached to the edges.
- Directed graph: this is again a tuple $G = \{V, E\}$ with $V = \{v_1, ..., v_n\}$ and $E = V \times V$. Again, additional data can be attached to the edges.

Trees: a tree is a graph without any cycles.

Multigraph: both directed and undirected graphs allow the presence of multiple edges connecting the same nodes. These graphs are called multigraphs.



These data types occur frequently. A simple example is the directory hierarchy on a hard drive. Typical questions are:

Where am I?

Where is the file I am looking for?

Other typical applications are:

Organization chart at a hospital

Taxonomy of biological species

Evolutionary trees

Molecular and genetic charts

Phylogenic trees

Biochemical reaction paths



Besides the type of graph (tree, acyclic directed graph, arbitrary directed graph, undirected graph, multigraph) the size of the graph (number of nodes and edges) is a key point in the visualization.

A user is usually not able to comprehend large graphs from a single image. The visualization then only shows the complexity of the graph.

From a certain size on, there are no suitable layout algorithms anymore simply because there is not enough space on the screen. Hence, we need to reduce the complexity first.



Graph drawing

The basic problem of graph drawing can be described easily:

Problem: Let a set of nodes and a set of edges be given. Compute the positions for the nodes and the curves representing the edges.

It is not easily explained what a good layout is. Battista at al. [IEEE TVCG 6(1): 24~, G. Di battista, P. Eades, R. Tamassia, and I. G. Tollis, "Algorithms for Drawing Graphs: An Annotated Bibliograph", Geometry: Theory and Applications, vol. 4, no. 5, pp. 235-282, 1994] list hundreds of papers devoted to this issue. The difficulty is to define properties of the graph and classify the layouts. A typical property of a graph is being planar. Hence, we need a fast algorithm which can check that property. For an undirected graph a complexity of O(n) can be achieved [J. Hopcroft and R. E. Tarjan, "Efficient Planarity Testing", J. ACM vol. 21, no. 4, pp. 549-568, 1974]. A possible layout algorithm could be based on a regular grid and use only integer coordinates for the nodes.



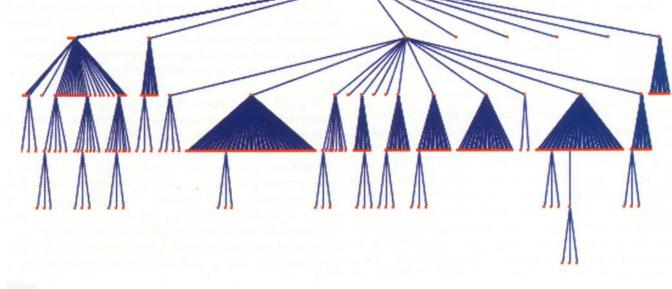
For the visualization, however, the property of being planar is not of that much importance. But the minimization of intersections between the curves representing the edges is a major goal.

In addition, the layout influences the perception of the graph.



Tree drawing

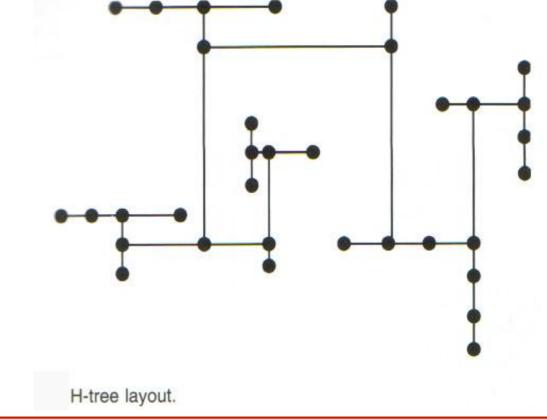
The algorithm of Reingold and Tilford [E. M. Reingold and J. S. Tilford, "Tidier Drawing of Trees", IEEE Trans. Software Eng., vol7, no2, pp. 223-228, 1981] **Generates a** classic tree representation. All nodes of the same level are located at the same height. The horizontal space is split up according to the number of leaves of the sub-trees.



A tree layout for a moderately large graph.

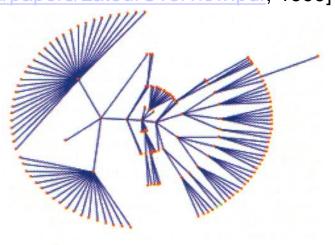


It is also possible to use an H-like pattern: [P. Eades, "Drawing Free Trees", Bulletin of the Inst. For the Combinatorics and Its Applications, pp. 10-36, 1992]





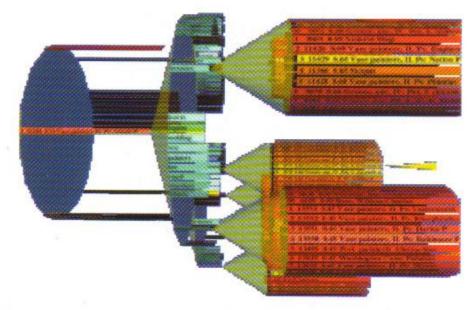
Another variant uses a radial pattern. The root of the tree is located at the center of the image while the nodes are placed on concentric circles. In addition, the algorithm avoids intersections by choosing fixed sections for the sub-trees. It is possible to weaken the last condition to achieve better results [I.Herman, G. Melancon, M. M. De Ruiter, and M. Delest, "Latour-A Tree Visualization System", Proc. Symp. Graph Drawing GD'99, pp. 392-399, 1999. A more detailed version in: Reports of the Centre for Math. And Computer Sciens, Report number INS-R9904, available at: http://www.cwi.nl/Info/isu/papers/LatourOverview.pdf, 1999]



Radial view.



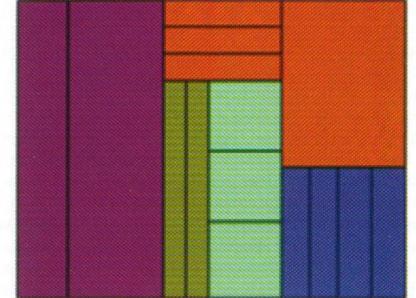
In a cone tree [J. Carriere and R. Kazman, "Research Report: Interacting with Huge Hierarchies: Bryond Cone Trees", Proc. IEEE Conf. Information Visualization '95, pp. 74-81, 1995], siblings are located along a circle which, including the parent node, results in a cone.



A cone tree. (Courtesy of M. Hemmje, GMD, Germany [59].)



A tree map [B. Johnson and B. Schneiderman, "Tree-Maps: A Space-Filling Approach to the Visualzation of Hierarchical Information Structures", Proc. IEEE Visualization '91, pp. 275-282, 1991] assigns a rectangle to each sub-tree which is then sub-divided further. Using the size of the rectangles, additional information can be conveyed.



Tree-map: rectangles with color belong to the same level of the (tree) hierarchy. (Adapted from Johnson and Schneiderman [72]).



The previously discussed methods are predictable, i.e. they give the exact same results for the same input which is an important property in visualization.

This is no longer true when using simulated annealing or spring models.



Layout in the hyperbolic plane

Even though a radial layout of the tree utilizes the space more efficiently compared to classic approaches, it still does not provide sufficient results. The number of nodes grows exponentially per level, while the circle grows linearly within the Euclidian plane. In the hyperbolic plane however, the growth is exponential!

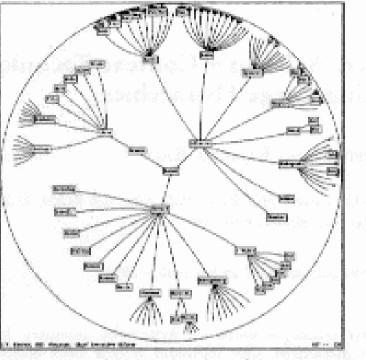


Figure 1. A partial organization chart of Xerox (cs. 1988)



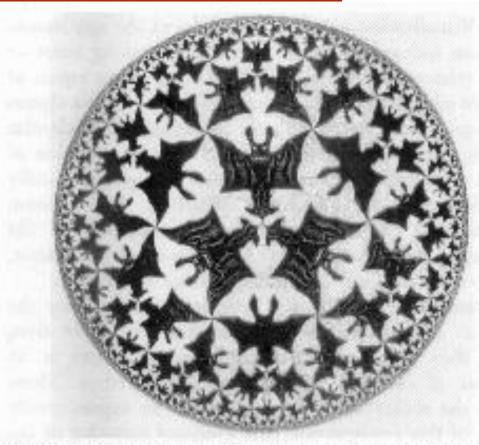


Figure 2. Original inspiration for the hyperbolic browser. Circle Limit IV (Heaven and Hell), 1960, ©1994 M.C. Esher/Cordon Art-Baam-Holland. All rights reserved. Printed with permission



Basically, the hyperbolic layout is a radial layout where the size gets smaller rapidly when approaching the boundary of the circle. Here, the circular section is determined based on the number of children without considering their grand-children in order to be able to lay out even large trees.



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It is possible to navigate through such a layout by moving the center of projection.

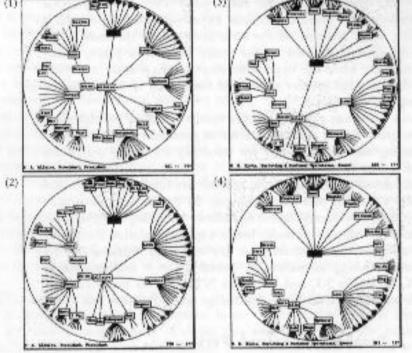


Figure 3. Clicking on the blackened node brings it into focus at the center

We will see later that we need to avoid a rotation of the origin after several movements of the center.

The layout is arranged in the hyperbolic plane and then mapped onto a circle within the Euclidian plane. This maps circles onto circles so that it is possible to leave some space for annotations. An ellipse formed by the siblings, parent, and middle child can also be used for annotations.

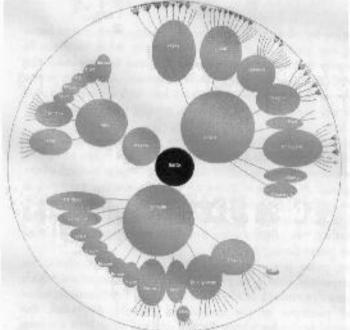


Figure 8. The regions available to nodes for displaying information



Hyperbolic geometry

Euclid postulated five axioms for his geometry:

There is one line segment that connects two points.

Every line segments can be extended to a infinite straight line.

For every line segment, a circle can be constructed that has the segment as its radius and one end point as its center.

All orthogonal angles are congruent.

For every straight line and a given point that is located on the line, there is exactly one infinite straight line that does not intersect the existing one.

By replacing the last axiom with one allowing that there are several parallel lines we get the hyperbolic geometry.



Poincaré model

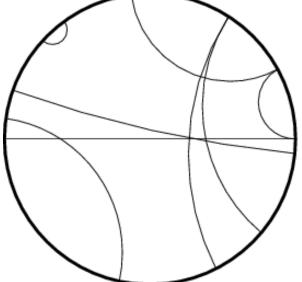
The model of a hyperbolic plane according to Poincaré consists of a unit disc C (complex)

$$P = \{ z \in C \mid ||z|| < 1 \}$$
 "points"

with the locally dependent metric

 $ds^{2} = \frac{(dx^{2} + dy^{2})}{(1 - x^{2} - y^{2})}$ "distance"

The "straight lines" are circular arcs orthogonal to the boundary.



Since it is a conform model the angles between the circular arcs determine the angles of straight lines in the hyperbolic plane.



For the navigation, we need a transformation of the hyperbolic plane. These can be described by

 $T_{P,\theta}: C \to C$ $1 + P \theta_7$ with $P, \theta \in C$, |P| < 1, $|\theta| = 1$ and \overline{p} as its conjugated point. This is a rotation of angle θ and a subsequent translatio n of the origin to P. When combining two of these transforma tions we get $\theta_2 P_1 P_2 + 1$ $\theta_2 P_1 P_2 + 1$



Layout

The layout is realized as a recursive procedure with a circular section as its parameter. The circular section is described by a vertex, the end point of the line segment cutting the section in half, and the half the angle.

A simple layout uses the vertex as the location for the parent node und sub-divides the section according to the number of children. Better results are usually achieved when using a logarithmic scale when sub-dividing. The distance to the child is determined by

$$d = \sqrt{\frac{(1-s)^{2} \sin(a)^{2}}{2s} + 1 - \frac{(1-s^{2}) \sin(a)}{2s}}$$

where *a* is half of the angle of the child's circular section and *s* is the desired distance between the child and the edge of the circular section. Good results can be achieved using s=0.12.

Visualization

The visualization of the graph is achieved by drawing the nodes (if desired with annotations) and the edges as circles which correspond to hyperbolic line segments.

The computation of the center of a circle for complex numbers $a, b \in P$ uses the following formula:

$$d = \operatorname{Re}(a) \operatorname{Im}(b) - \operatorname{Re}(b) \operatorname{Im}(a)$$
$$c = \frac{i}{2} \cdot \frac{(a(1 + \|b^2\|) - b(1 + \|a^2\|))}{d}$$



Navigation

The layout of the graph in the hyperbolic plane is not changed. Only the mapping of the complex unit disc is manipulated using the previous transformation.

We start with $T_{0,1}$. If the user moves the mouse from *s* to *e* and the point p is not supposed to be rotated then we get:

$$a = T_{-p,1}(s)$$

$$b = \frac{\text{Re}((e-a)(1-\overline{a}\,\overline{e}))i}{1-(ae)^2}$$

$$T = T_{-p,1} \circ T_{b,1}$$

For a smooth transition it is possible to introduce intermediate steps.

Literature

[Lamping, Rao, "The Hyperbolic Browser : A Focus + Context Technique for Visualizing Large Hierarchies", Journal of Visual Languages and Computing 7, 33-55, 1996]

Additional hyperbolic approaches:

[Munzner, "HB: Laying Out Large Directed Graphs in 3D Hyperbolic Space", IEEE Visualization '97 Proceedings, IEEE CS, 1997, 2-10]



Layout of general directed graphs

For these types of graphs, a suitable layering is identified first which assigns an integer number to every node. Most methods are based on extraction of an acyclic sub-graph which contains all nodes. This way, all nodes receive a number and are ordered in rows from top to bottom so that all edges of the acyclic graph point downward. This arrangement is used for minimizing the steps, often only up to the next level. This problem, however, is NP hard.

A heuristic [W. Tutte, "How to Draw a Graph", Proc. London Math. Soc., vol. 3, no. 13, pp. 743-768, 1963] defines an order for the first and last level and requires that every node is located at the center of gravity of its neighbor (w.r.t. the graph). This results in a system of linear equations. A comparison of different heuristics is given by Laguna and Marti [M. Laguna and R. Marti, "Heuristics and Meta-Heuristics for 2-Layer Straight Line Crossing Minimization", URL: http://www-

bus.colorado.edu/Faculty/Laguna/, 1999].



Spring-based methods

These methods model nodes and edges as physical entities connected by springs. This results in an optimization problem which can only be solved locally (hence not predictable). In addition, these methods tend to be slow with a complexity of $O(n^3)$ [A. Frick, A. Ludwig, and H. Mehldau, "A Fast Adaptive Layout Algorithm for Undirected Graphs", Proc. Symp. Graph Drawing GD '93, pp. 389-403, 1994].



Layout of undirected graphs

For undirected graphs, we usually start with a spanning tree. This tree is then laid out. The edges can be assigned weights before computing the spanning tree. Good algorithms have complexities *O(N logN)* or *O(E logN)* (*E*: number of edges, *N*: number of nodes).

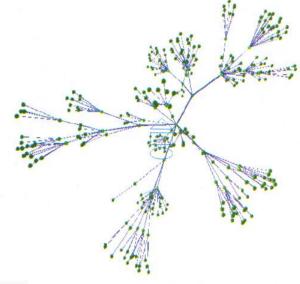


3-D Layout

It is also possible to use 3-D-based layouts. Besides the cone tree representation, two approaches are shown here. However, current input devices are not very suitable for navigation.



Information Cube. (Courtesy of J. Rekimoto, Sony Computer Science Laboratory, Inc., Japan [104].)

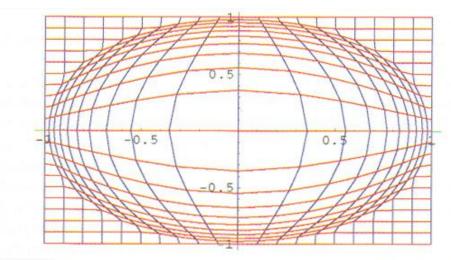


3D version of a radial algorithm. (Courtesy of S. Benford, University of Nottingham, U.K.)

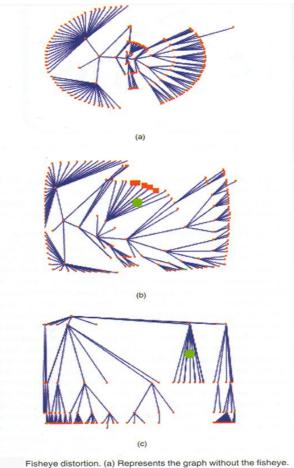


Exploration

For large trees, a fish-eye view can help explore the data.



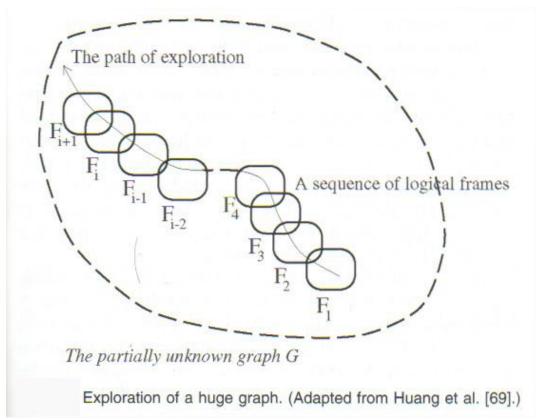
Fisheye distortion of a regular grid of the plane. The distortion factor is 4.



Fisheye distortion. (a) Represents the graph without the tisheye. (b) Uses polar fisheye, whereas (c) uses Cartesian fisheye with a different layout of the same graph. The green dots on (b) and (c) denote the focal points of the fisheye distortion. Note the extra edge-crossing on (b).



In addition, a windowing technique can be used for exploring large graphs.





Clustering

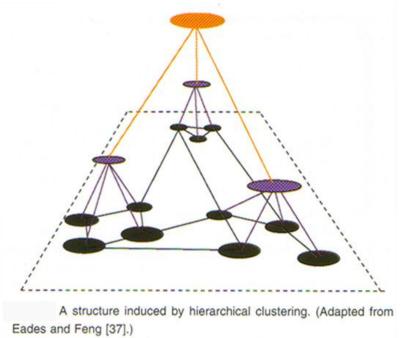
If the graph is too large to display it can be simplified. Usually, this is done by clustering nodes. Man differentiates different approaches:

- Structural clustering: combine nodes based on the structure
- Content-based clustering: combine semantically similar nodes

Almost all techniques are based on structural clustering, since it is easier to implement and the method can be applied to any graph independently of the application.



The algorithm generates disjoint clusters. The clusters are then form a new graph by using each cluster as a node and drawing an edge if there is an edge between elements of two different clusters.





For the clustering, a metric for the nodes is required. This metric can be structural or content-based. Clusters are then formed based on the "distance" between nodes using a pre-defined threshold.



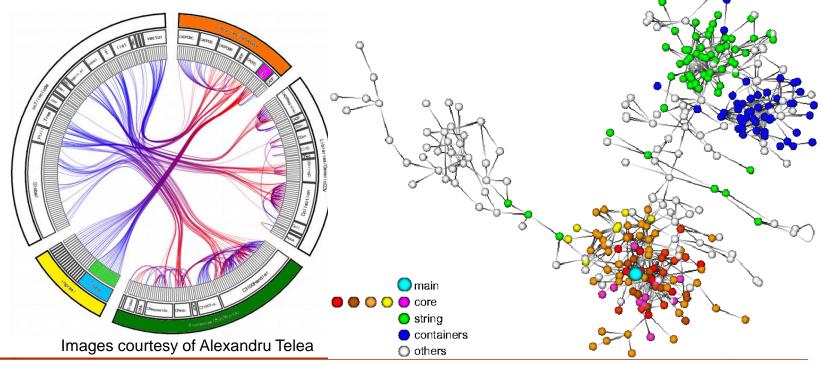
It is also possible to assign a value of relevance to the nodes and edges. There are three different approaches:

- Ghosting: less relevant nodes and edges are shifted towards the background
- Hiding: less relevant elements are omitted
- Grouping: less relevant elements are combined



Applications

Call graph: graph connections represent that a method calls another one in a C++ program





Multidimensional visualization

The treatment of multidimensional data sets is an important data visualization issue. Each point in a data set is described by an *n*-dimensional coordinate, where n > 3. Here we assume that each coordinate is an independent variable, and that we wish to visualize a single dependent variable. An application of multidimensional data is financial visualization, where we might want to visualize return on investment as a function of interest rate, initial investment, investment period, and income, to name just a few possibilities.



There are two fundamental problems that we must address when applying multidimensional visualization. These are the problems of *projection* and *understanding*.

The problem of projection is that in using computer graphics we have two dimensions in which to present our data. Using 3-D graphics we can give the illusion of three dimensions.

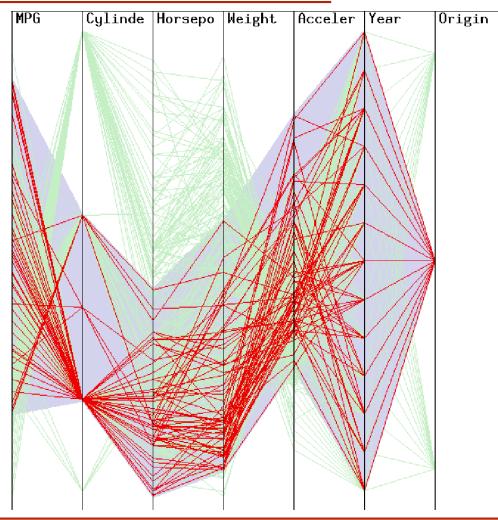
The problem of understanding is that humans do not easily comprehend more than three dimensions, or possibly three dimensions plus time.



Parallel coordinates

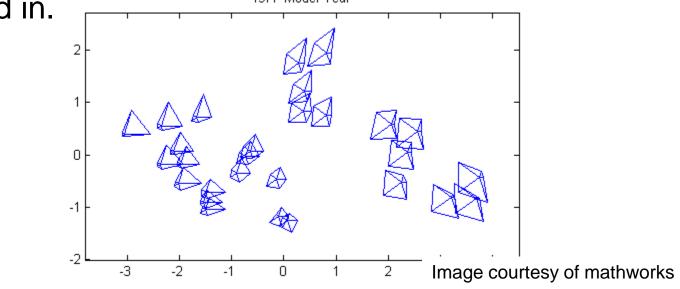
One approach to multidimensional visualization is the use of *parallel coordinates*. Instead of plotting points on orthogonal axes, the *i*-th dimensional coordinate of each point is plotted along separate, parallel axes. When using parallel coordinates, points appear as lines. As a result, plots of n-dimensional points appear as sequences of line segments that may intersect or group to form complex fan patterns. Unfortunately, if the number of points becomes large, and the data is not strongly correlated, the resulting plots can become a solid mass of black, and any data trends are drowned in the visual display.







Another multivariable technique is using glyphs. This technique associates a portion of the glyph with each variable. Although glyphs cannot generally be designed for arbitrary *n*-dimensional data, in may applications we can create glyphs to convey the information we are interested in.





Text Visualization

Text is an important attribute in Information Visualization data sets. The information contained in this data can be structured into three categories: **content**, **structure**, and **metadata**. The content describes the information contained in the text itself. The structure characterizes how the text is organized. Finally, metadata describes all types of information related to the text that are not contained in the text itself.



Text Visualization (continued)

A different dimension of text visualization concerns the origin of the data. All types of text-related information can be already present in the document to visualize, or can be computed using various text-analysis methods in order to support a certain task. This process falls within the data-enrichment step of the visualization pipeline. Text analysis is an extremely wide topic, including techniques that range from neural networks and statistical analysis to lexical, syntactic, and semantic analysis and natural language processing.



Visualizing Program Code

Given the high prominence and complexity of source code in the software industry, it is natural to consider how visualization can aid its comprehension. Source code has several particular properties, including the following:

- Exact: strictly defined grammars with non-ambiguous semantics
- Large-scale: can have millions of lines of code
- Relational: e.g. dependencies of packages, interfaces of modules
- Hierarchical: e.g. hierarchies of data structures or classes
- Heavily attributed: many attributes that express their semantics

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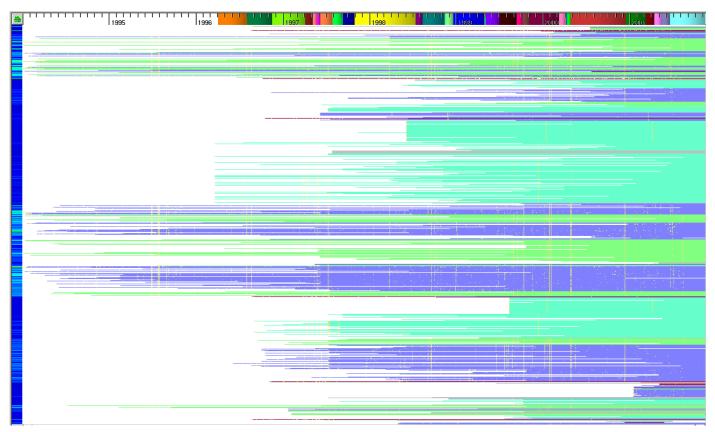


Visualization of C source code using the SeeSoft tool. Color shows the code age (red=new, blue=old). The smaller window shows details for a region in focus in the form of actual source code text.

Visualizing Software Evolution

Software evolution can be plotted over time. A twodimensional layout is used, where the x-axis represents the time during which the code has changed, and the yaxis the files in the project. Every file in the code base is mapped to a horizontal pixel line, partitioned in several segments. These pixel strips can be stacked in several orders along the y-axis. In the following image, the order follows a depth-first traversal of the code base. Hence, pixel strips close along the y-axis correspond to files situated at a small distance in terms of their directory path.



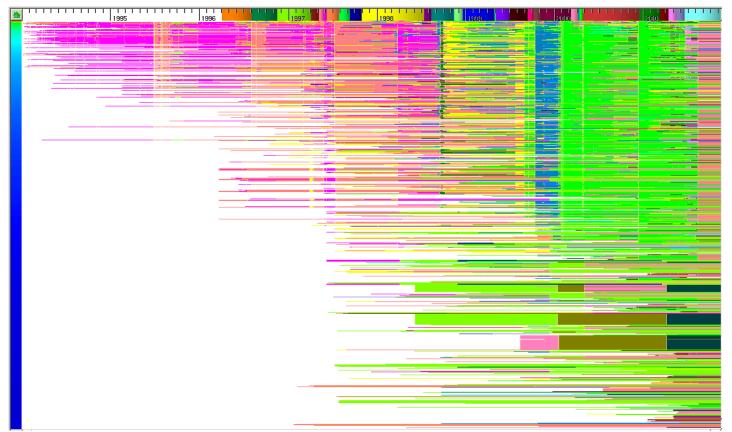


Visualization of the evolution of the VTK software project. Yellow dots indicate the file modification events. Image courtesy of Alexandru Telea



Similarly authorship can be visualized. In the following image, files have been sorted along the y-axis in decreasing order of activity. Each file version is colored to show the ID of the author who committed that version to the repository, i.e., who was responsible for the respective file changes. This color mapping lets us quickly discover who were the most active authors.

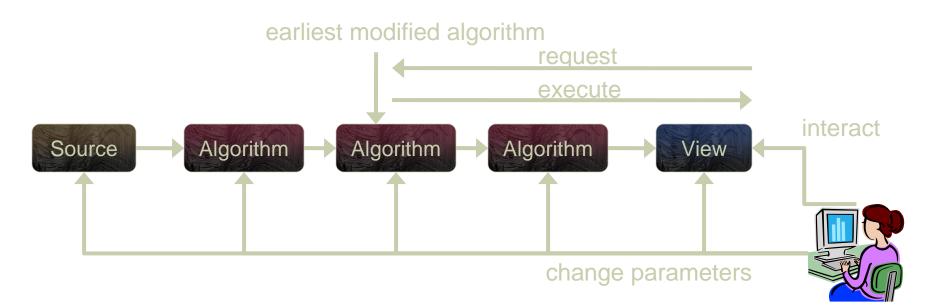




Visualization of author contributions in the VTK software project. Image courtesy of Alexandru Telea



VTK Pipeline (Sidebar)



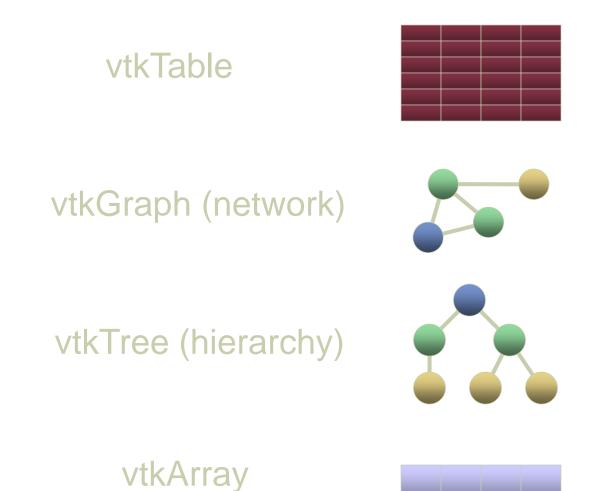
Demand-driven

Extensible, component design

Shallow copy of data

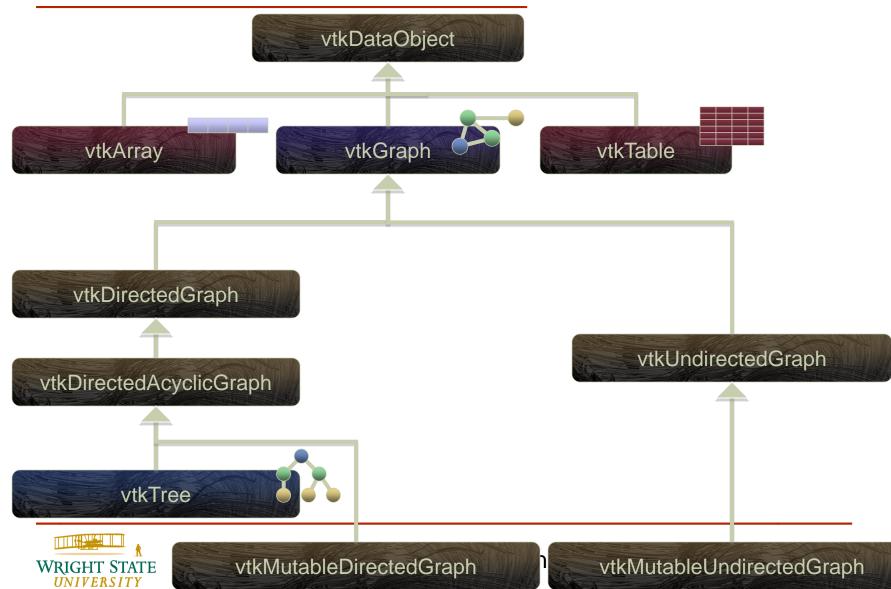


Data Structures

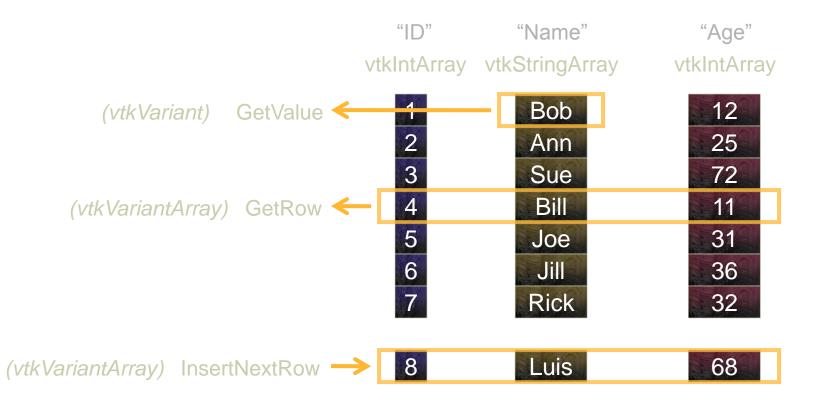




Data Structures



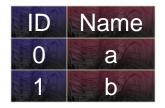
vtkTable





Creating a vtkTable

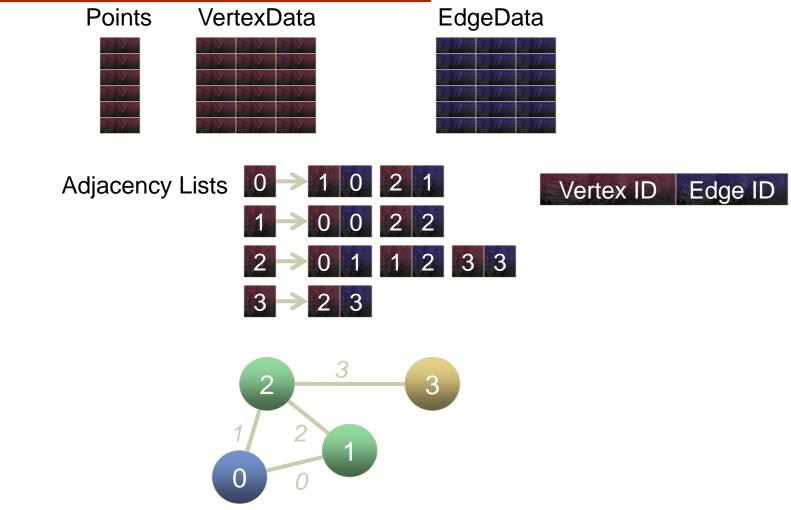
```
vtkTable* t = vtkTable::New();
vtkIntArray* col1 = vtkIntArray::New();
col1->SetName("ID");
col1->InsertNextValue(0);
col1->InsertNextValue(1);
t->AddColumn(col1);
```



```
vtkStringArray* col2 = vtkStringArray::New();
col2->SetName("Name");
col2->InsertNextValue("a");
col2->InsertNextValue("b");
t->AddColumn(col2);
```



vtkGraph and Subclasses





Creating a Graph

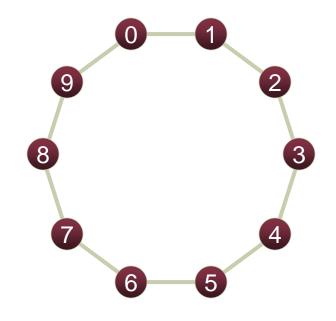
vtkMutableDirectedGraph* g = vtkMutableDirectedGraph::New();

```
vtkIntArray* vertId = vtkIntArray::New();
vertId->SetName("id");
g->GetVertexData()->AddArray(vertId);
for (vtkIdType v = 0; v < 10; ++v)
{
  g->AddVertex();
  vertId->InsertNextValue(v);
 }
```

```
for (vtkldType e = 0; e < 10; ++e)
{
g->AddEdge(e, (e+1)%10);
```

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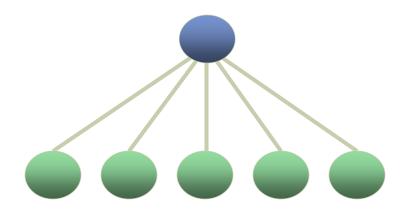


Creating a Tree

vtkMutableDirectedGraph* g = vtkMutableDirectedGraph::New();

```
vtkldType root = g->AddVertex();
for (vtkldType v = 0; v < 5; ++v)
   {
   g->AddChild(root);
  }
```

vtkTree* t = vtkTree::New(); t->ShallowCopy(g); g->Delete();

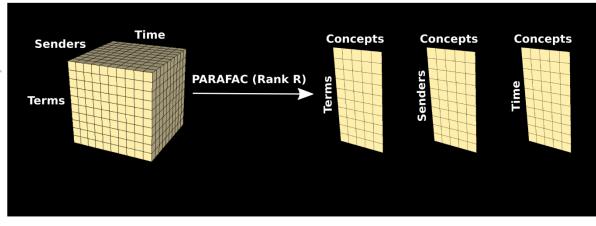




vtkArray and Subclasses

Provides a flexible hierarchy of arbitrary-dimension arrays, including sparse and dense storage, efficient access, and support for custom array types.

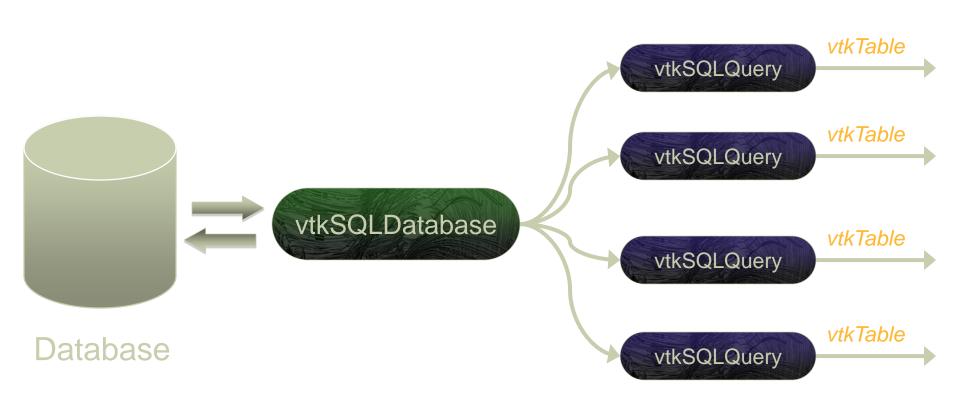
Using vtkArray with tensor decomposition methods such as PARAFAC:



PARAFAC = PARAllel FACtor analysis for multi-way arrays



Database Access In VTK





Creating a Database Connection

#include <vtkSQLDatabase.h>

vtkSQLDatabase *db = vtkSQLDatabase::CreateFromURL(

"mysql://username@dbserver.domain.com/databasename");
bool openStatus = db->Open("mypassword");

OR

#include <vtkMySQLDatabase.h>

vtkMySQLDatabase *db = vtkMySQLDatabase::New();

db->SetUserName("username");

db->SetHostName("dbserver.domain.com");

db->SetDataBaseName("databasename");

db->Open("password");



Querying a Database

vtkSQLQuery *query = db->GetQueryInstance();

query->SetQuery("SELECT name FROM employees WHERE salary >
100000");

```
Bool status = query->Execute();
```

```
while (query->NextRow())
```

cout << query->DataValue(0).ToString() << " is making too much money, hire a new PhD."

```
query->Delete();
```



Reading Results the Easy Way

vtkRowQueryToTable *tableReader =
 vtkRowQueryToTable::New();

```
vtkSQLQuery *query = db->GetQueryInstance();
```

```
query->SetQuery("SELECT name, salary, age FROM employees");
tableReader->SetQuery(query);
```

tableReader->Update(); // will execute query and read the results // into a vtkTable

tableReader->Delete();

query->Delete();



Available Database Drivers

SQLite

Public domain - ships with VTK

PostgreSQL

Depends on libpq (part of the Postgres distribution)

MySQL

Depends on libmysqlclient (part of the MySQL distribution)

ODBC

Depends on having ODBC libraries installed

Unix (incl. Mac): iODBC, unixodbc

Windows: MS ODBC

Also requires vendor-specific driver for your particular database

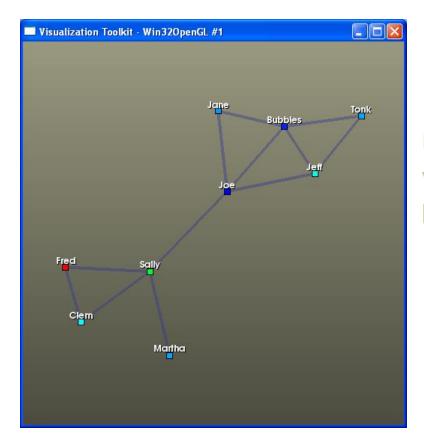
Add your own! It's simple.

Subclass vtkSQLDatabase, vtkSQLQuery and implement abstract methods

Add optional support to CreateFromURL()



Python Database Example



Using vtkDatabase and vtkRowQueryToTable to hit a database, pull data, and create graphs.

VTK/Examples/Infovis/Python/database.py



Table and Tree Readers

vtkDelimitedTextReader

Creates a vtkTable from delimited text files, including CSV.

vtkISIReader

Creates a vtkTable from files in the ISI bibliographic citation format.

Reference: <u>http://isibasic.com/help/helpprn.html#dialog_export_format</u> vtkRISReader

Creates a vtkTable from files in the RIS bibliographic citation format.

Reference: http://en.wikipedia.org/wiki/RIS_(file_format)

vtkFixedWidthTextReader

Creates a vtkTable from text files with fixed-width fields.

vtkXMLTreeReader

Creates a vtkTree using the structure of any XML file.

XML elements, text, and attributes are mapped to vertex attributes in the output graph.



Graph Readers and Sources

vtkRandomGraphSource

Creates a graph containing a random collection of vertices and edges. vtkSQLGraphReader

Creates a vtkGraph from a pair of SQL vertex and edge queries.

vtkDIMACSGraphReader

Creates a vtkGraph from files in DIMACS format.

Reference: http://www.dis.uniroma1.it/~challenge9/format.shtml

vtkChacoGraphReader

Creates a vtkGraph from files in Chaco format.

Reference: http://www.sandia.gov/~bahendr/chaco.html

vtkTulipReader

Creates a vtkGraph from files in Tulip format.

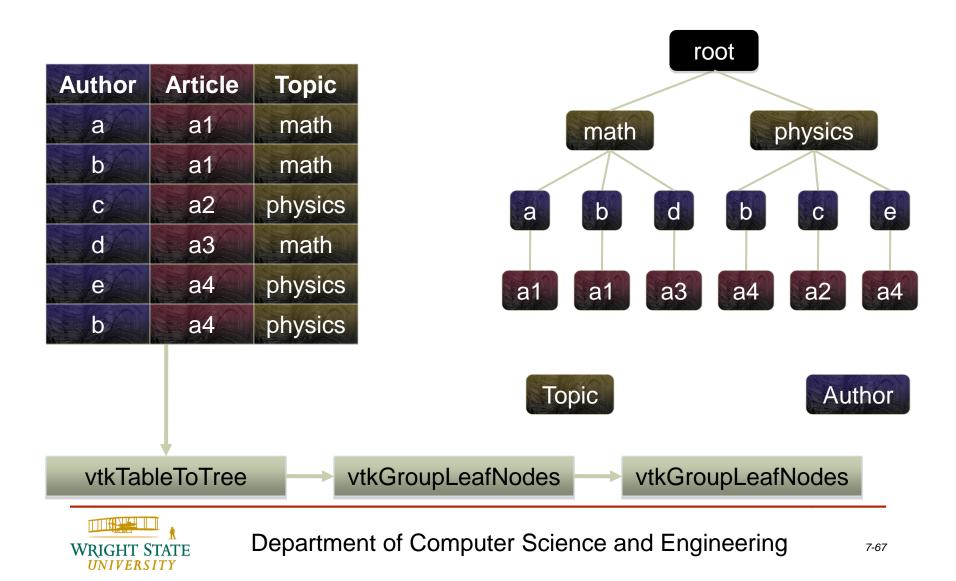
Reference: http://tulip.labri.fr/tlpformat.php

vtkGeoRandomGraphSource

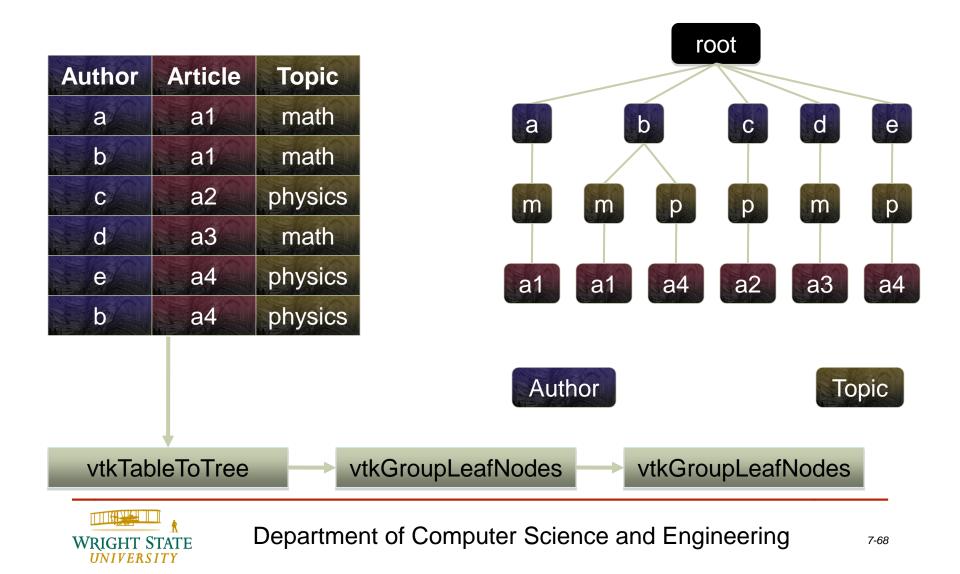
Creates a graph containing a random collection of geo-located vertices and edges.



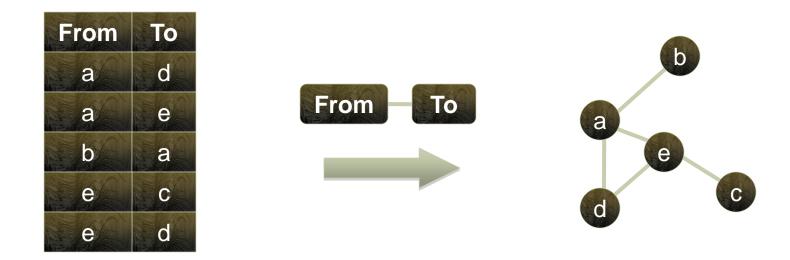
vtkTableToTree – Part I



vtkTableToTree – Part II

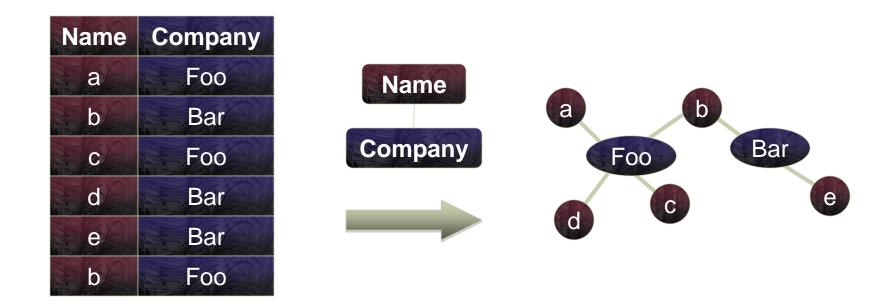


vtkTableToGraph – Part I





vtkTableToGraph – Part II





vtkTableToGraph – Part III

Author	Article	Торіс
a	a1	math
b	a1	math
C	a2	physics
d	a3	math
е	a4	physics
b	a4	physics

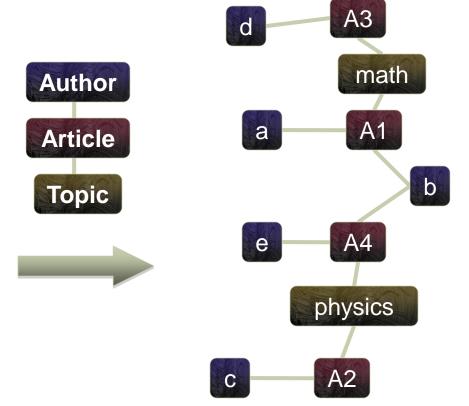
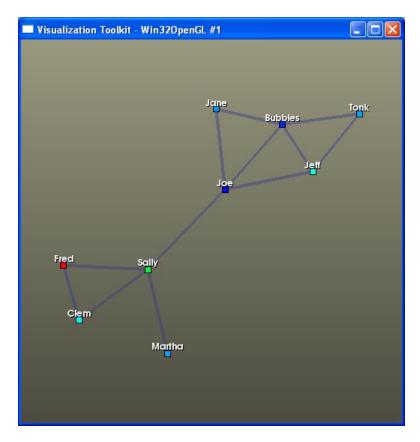




Table to Graph Example

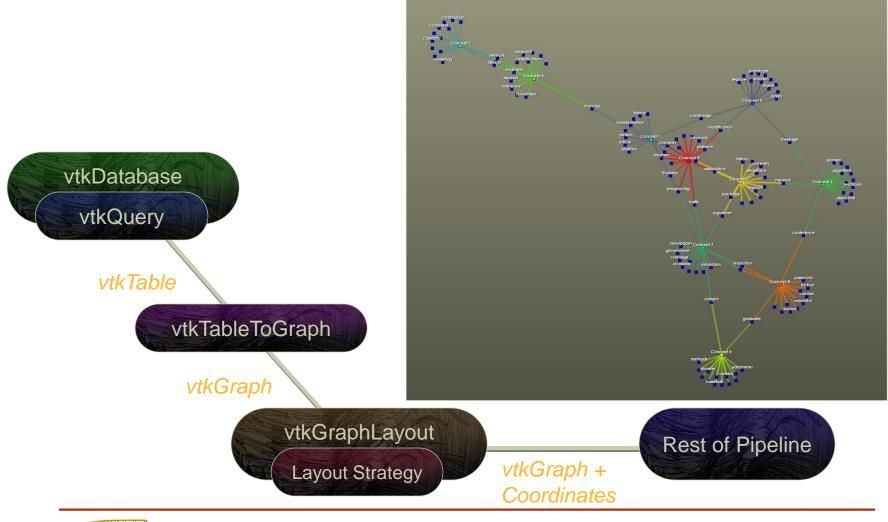


Example that demonstrates the use of vtkTableToGraph filter.

VTK/Examples/Infovis/Python/database.py

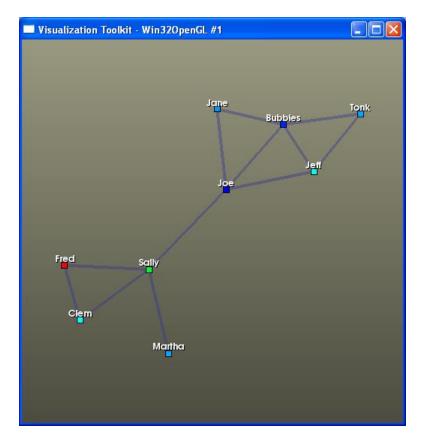


Graph/Tree Layout Strategies





Graph Layout Strategies Example



Adding new graph layouts to Titan is a snap!

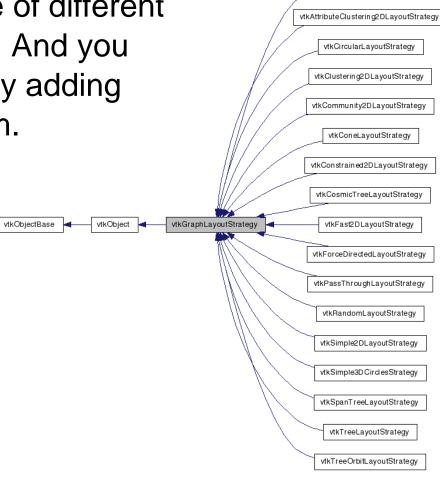
VTK/Examples/Infovis/Python/database.py



vtkAssignCoordinatesLayoutStrategy

Layout Strategies in VTK

VTK provides a multitude of different layout strategies already. And you can still expand this list by adding your own layout algorithm.





Qt Adapters

vtkQtAbstractModelAdapter

Inherits from QAbstractItemModel, Qt's generic item model for views

Provides common infrastructure for converting QModelIndex to VTK ids.

vtkQtTableModelAdapter

Inherits from vtkQtAbstractModelAdapter

Adapts underlying vtkTable instance to a Qt model

vtkQtTreeModelAdapter

Inherits from vtkQtAbstractModelAdapter

Adapts underlying vtkTree instance to a Qt model

QTableView, QTreeView

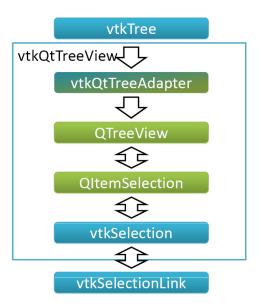
Display a QAbstractItemModel

vtkQtTable/TreeView, vtkQtTable/TreeRepresentation

Puts QTableView, QTreeView into VTK view/representation framework using the model adapter classes

Supports selection linking with other VTK views.





Qt Adapters C++ Example

Qt a reasonable model/view architecture for tables and trees (specifically shown are QTableView, QTreeView, QColumnView).

Code "clips" from VTK/Examples/Infovis/Cxx/EasyView

this->XMLReader = vtkSmartPointer<vtkXMLTreeReader>::New(); this->TreeView = vtkSmartPointer<vtkQtTreeView>::New();

// Set widget for the tree view
this->TreeView->SetItemView(this->ui->treeView);
...

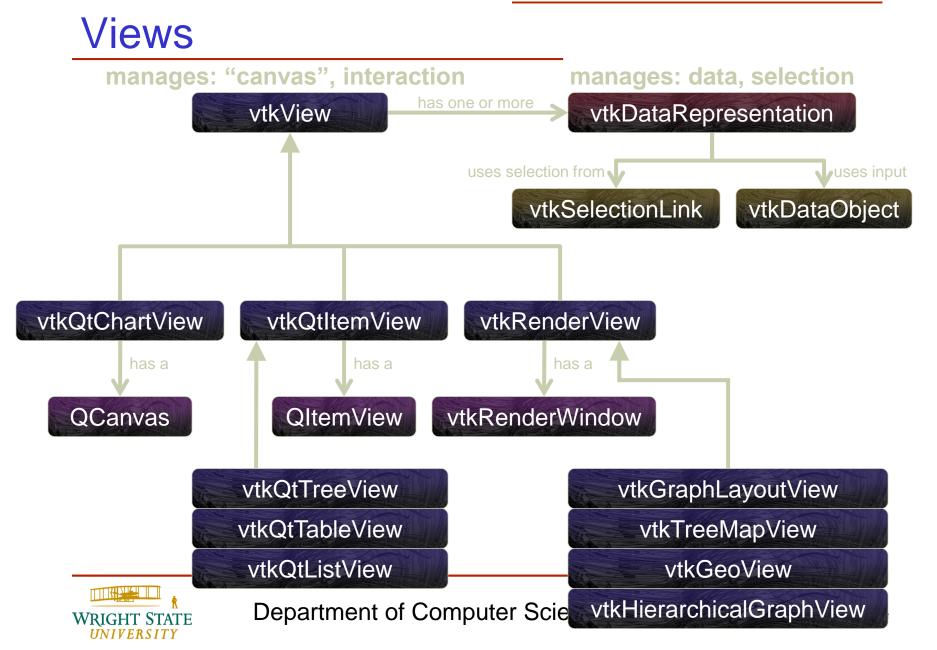
```
// Create xml reader
this->XMLReader->SetFileName( fileName.toAscii() );
...
```

// Now hand off tree to the tree view
this->TreeView->SetRepresentationFromInputConnection(
 this->XMLReader->GetOutputPort());

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d	library	vertex id	
∃ vtkObjectBase	Common	0	
vtkInformationKey	Common	1	
vtkInformationDataObje	t Common	2	
vtkInformationDoubleKe		3	
vtkInformationDoubleVe	t Common	4	
vtkInformationIdTypeKey	/ Common	5	vikBdiloonWidget
vtkInformationInformatio	on Common	6	vikBorder//kdget
- vtkInformationInformatio	on Common	7	VikActor VikAbstractWidget
id	library	vertex id	
vtkPassInputTypeAlgorithm	Filtering	558	vikobject vikobject vikobBtree vikobridsetAlgorithm
vtkAssignAttribute	Graphics	559	viklonunearCeil
vtkProgrammableFilter	Graphics	560	vtkThreadedImageAlgorithm
vtkAssignCoordinates	Infovis	561	vtkPolyDataAlgorithm
vtkPassThrough	Infovis	562	vi k EhSight Reader
vtkAbstractArray		itaArray	▶ vikPolyDataSource
vtkAbstractTransform		ringArray	vtkimage Multiple Input Filter
vtkAmoebaMinimizer	vtkVa	riantArray	
vtkAnimationCue	le le		vtkimageSpatialFilter
vtkArrayIterator	Þ		
vtkAssemblyNode			
vtkByteSwap			
vtkCollection vtkCollectionIterator	▶ ▼		

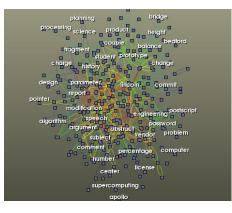
VTK/Examples/Infovis/Cxx/EasyView





Views Tour

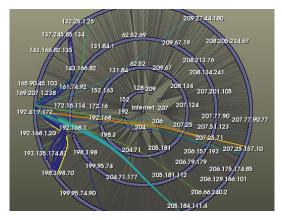
vtkGraphLayoutView



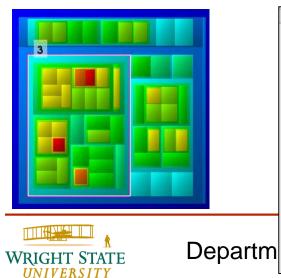
vtkGeoView



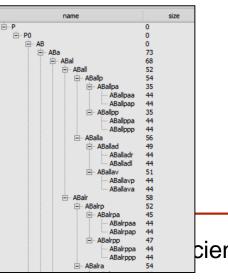
vtkHierarchicalGraphView



vtkTreeMapView



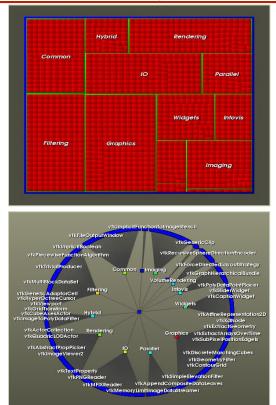
vtkQtTreeView

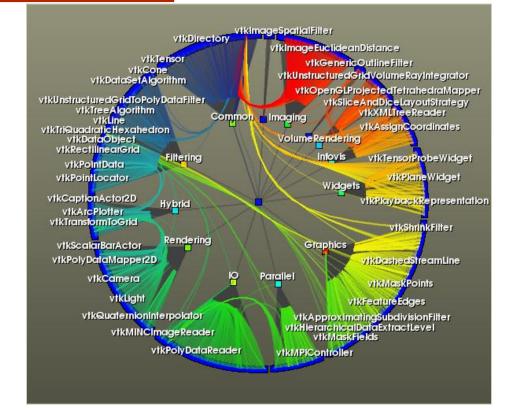


vtkQtTableView

title 🔶	year	release_date	num_ratings	average_rating
"18 Wheels of Justice" (2000)		211814438400000	14	4.8
"24: Conspiracy" (2005)		208657814400000	8	4.4
"29 Minutes & Counting" (2004)		208657814400000	0	0
"2gether: The Series" (2000)		211833100800000	17	5.5
"30 Days 'Til I'm Famous" (2006)		208657814400000	0	0
"30 by 30: Kid Flicks" (2001)	2001	208657814400000	0	0
"411, The" (2005)		212006592000000	0	0
"70's House, The" (2005)	2005	211987324800000	12	5.5
"8th & Ocean" (2006)		212008492800000	89	4.9
"A.T.M.: A toda M." (2005)	2005	211989139200000	0	0
"A.U.S.A." (2003)		211911120000000	0	0
"AMC Project, The" (2003)		208657814400000	0	0
"AXN Action TV" (2000)	2000	208657814400000	0	0
"Aardvark" (2000)	2000	211815129600000	0	0
"Abby" (2003)	2003	211908614400000	0	0

Views Python Example



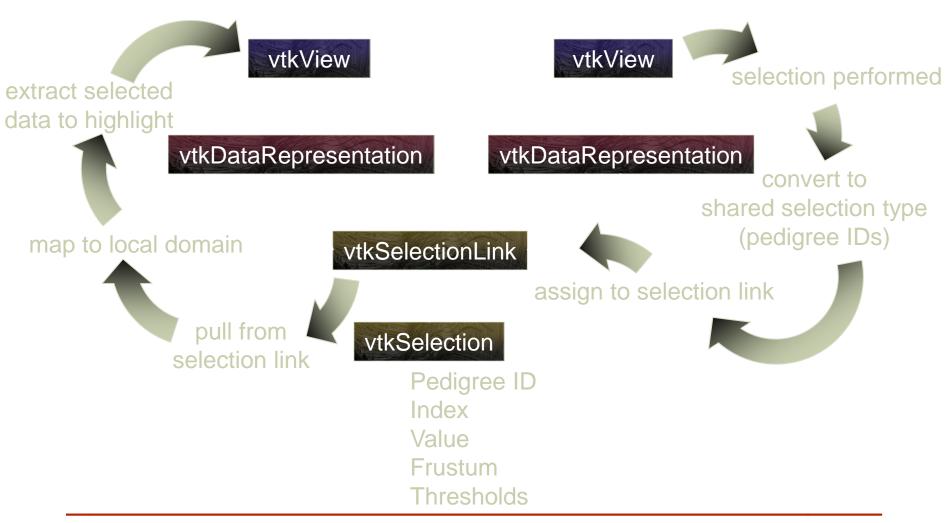


The VTK class hierarchy shown in a vtkTreeMapView, a vtkGraphLayoutView (with tree layout) and a vtkHierarchicalGraphView. The last view also pulls in a graph to show class inheritance relationships.

VTK/Examples/Infovis/Python/views.py

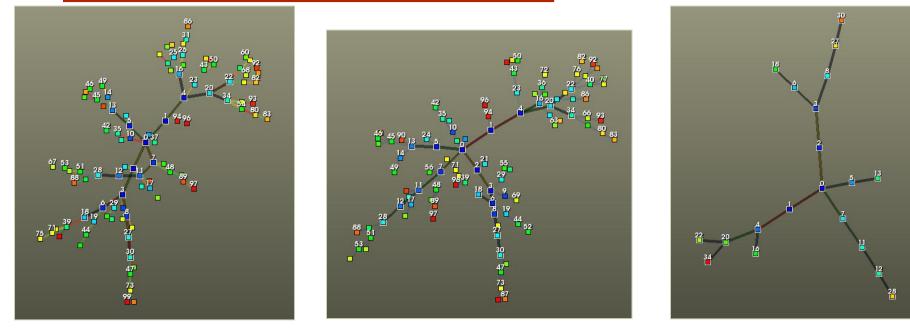


Linked Selection





Selection Python Example



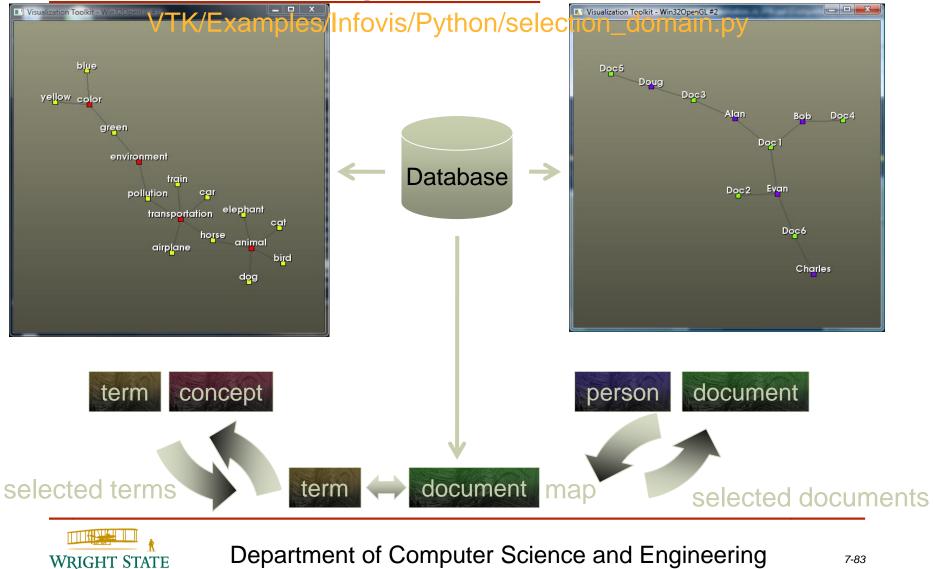
This example demonstrates the use of vtkSelectionLink and vtkSelectionSource. Any vtk view can link it's selection with any other view. vtkSelections are quite flexible and can be used in a variety of ways, here we select edges with high centrality.

VTK/Examples/Infovis/Python/selection.py



Domain Mapping

UNIVERSITY



Geographic visualization

Current features (in VTK now)

3D vtkGeoView

Multi-resolution texture and geometry

Display placemarks with relationships (i.e. a geolocated graph)

Deep integration with other VTK views

Takes vtkDataObject input

Linked selection with other views

Easily embedded into larger applications

Developing features

vtkGeoView2D

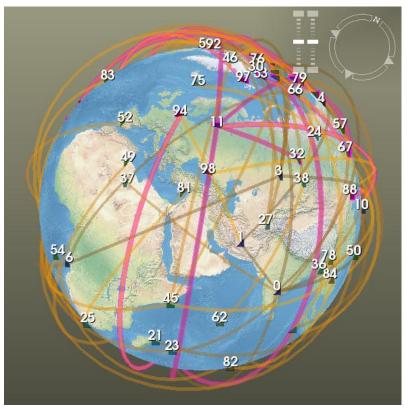
Multi-texturing overlay images with blending

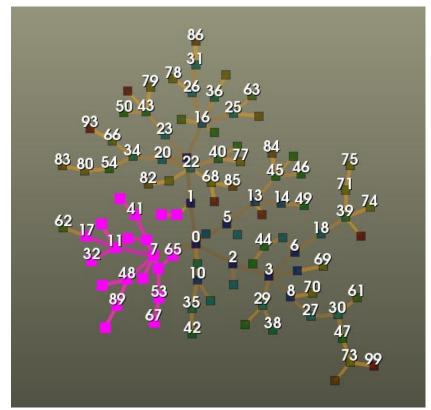
More input sources



3D GeoView Python Example

Uses vtkGeoView and vtkGeoRandomGraphSource, linked with the same graph in a vtkGraphLayoutView.



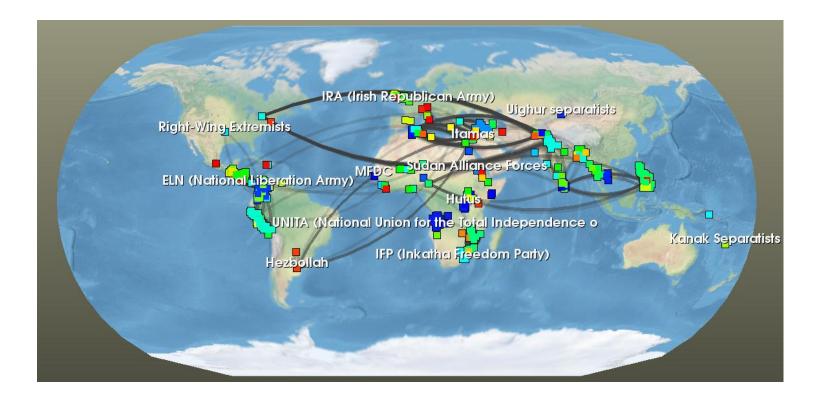


VTK/Examples/Infovis/Python/geovis.py



GeoView Python Examples

Pulls data from the publicly available GTD (Global Terrorism Database) and uses vtkGeoView2D.

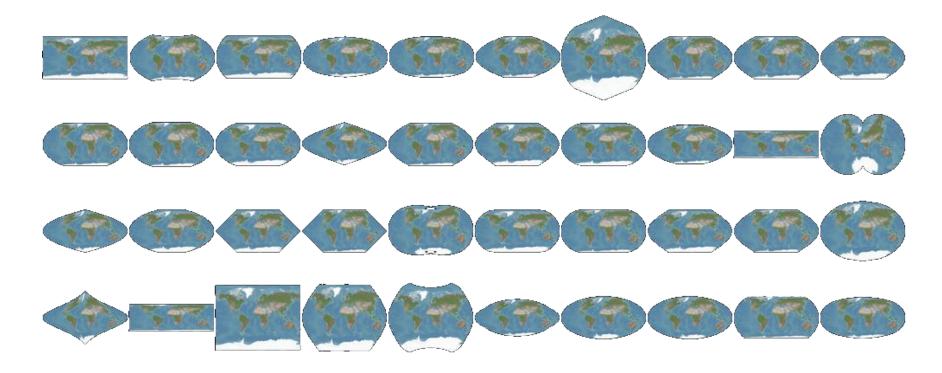


vtkSNL/Examples/Python/Infovis/gtd_geovis_2d.py



Projections

All projections from the open-source Proj.4 projection library are available to vtkGeoView2D.





Break Time!

Graph Algorithms, Statistics, and Algebraic Methods are next...



7 Information Visualization

Boost Graph Library (BGL) Adapter



vtkBoostGraphAdapter.h implements the BGL graph concepts for vtkGraph.



vtkBoostBreadthFirstSearch vtkBoostBreadthFirstSearchTree vtkBoostBiconnectedComponents vtkBoostBrandesCentrality vtkBoostConnectedComponents vtkBoostKruskalMinimumSpanningTree vtkBoostPrimMininumSpanningTree



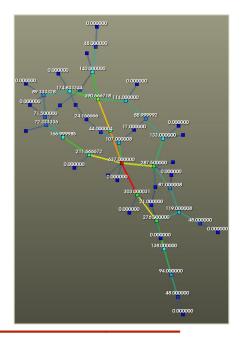
BGL Python Examples



Running vtkBoostBreadthFirstSearch and coloring/labeling the vertices based on the distance from the seed point.

VTK/Examples/Infovis/Python/boost_bfs.py

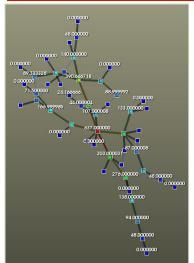
Running vtkBoostBrandesCentrality and coloring/labeling the edges and vertices based on centrality.



VTK/Examples/Infovis/Python/boost_centrality.py

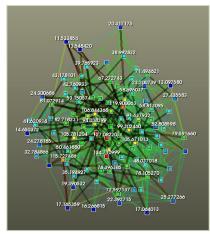


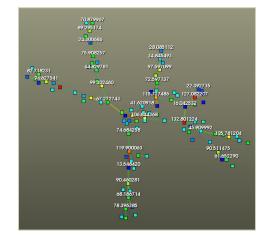
BGL Python Examples



Running vtkBoostBrandesCentrality and then vtkBoostKruskalMinimumSpanningTree to compute a 'maximal' spanning tree on high centrality edges.

VTK/Examples/Infovis/Python/boost_mst.py

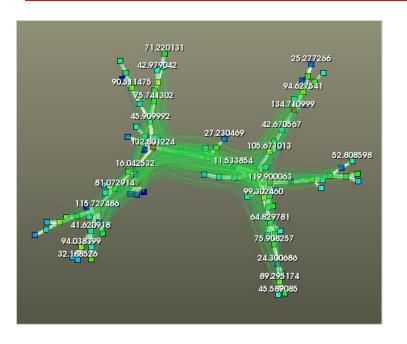


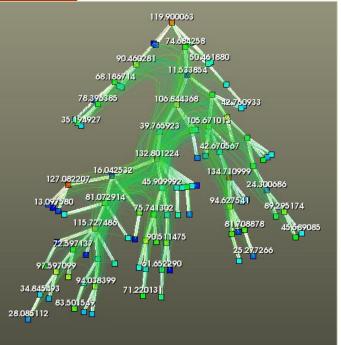


Running the same boost algorithms as above on a more complicated graph and then using vtkExtractSelectedGraph to send the extracted MST to another view.

WRIGHT STATE Department of Computer Science and Engineering

BGL Python Examples





Now showing how the original graph and its computed 'Maximal' spanning tree can both be sent to vtkHierarchicalGraphView. The MST is used to drive the hierarchy and layout, the original graph edges are 'bundled' by using the hierarchy as control points.

VTK/Examples/Infovis/Python/boost_mst_with_hgv.py

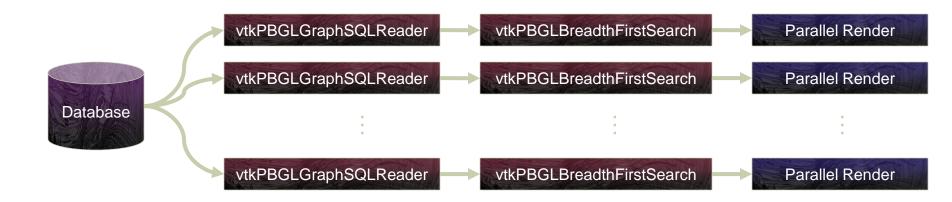


Parallel Boost Graph Library (PBGLio) Visualization Adapter vtkPBGLGraphAdapter.h implements the PBGL graph concepts for a vtkGraph (with associated vtkPBGLDistributedGraphHelper). vtkGraph.SetDistributedHelper(PBGL); Any PBGL Algorithm vtkPipeline vtkPipeline vtkPBGLShortestPaths vtkPBGLRMATGraphSource vtkPBGLMinimumSpanningTree vtkPBGLGraphSQLReader vtkPBGLConnectedComponents vtkPBGLVertexColoring vtkPBGLBreadthFirstSearch vtkPBGLRandomGraphSource



Parallel Graph Analysis – PBGL Information Kisualization progress)

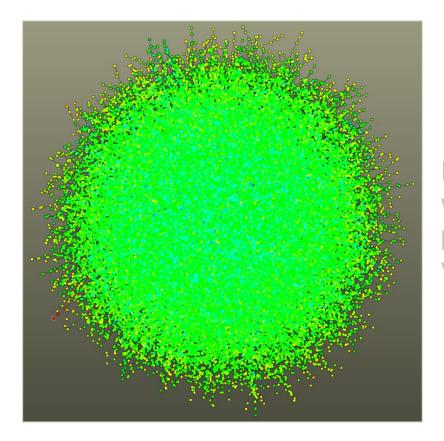
PBGL: Parallel Boost Graph Library – http://www.osl.iu.edu/research/pbgl Andrew Lumsdaine, Douglas Gregor (Indiana University)



Currently in the "Hello World" stage: Running a BFS on a random graph containing 50M vertices and 500M edges on 80 nodes.



PBGL Examples



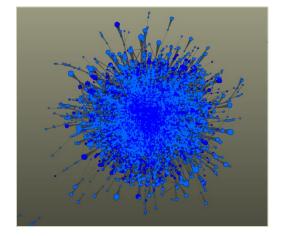
Performing BFS on a random graph with 100K vertices and 100K edges in parallel, collecting the graph and viewing it in graph layout view.

VTK/Examples/Infovis/Cxx/ParallelBFS.cxx



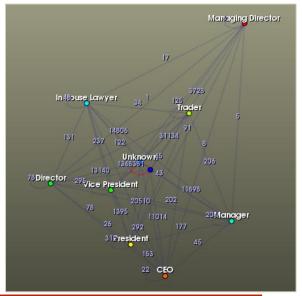
PBGL Examples

VTK/Parallel/Testing/Cxx/TestPBGLGraphSQLReader.cxx



The Enron email corpus graph, containing 75K email accounts and 2M email communications.

Using a parallel pipeline to extract summary information of how people with different job titles interact.





Multi-Threaded Graph Library (MrGL)sualization Adapter

vtkMTGLGraphAdapter.h implements the MTGL graph concepts for vtkGraph.





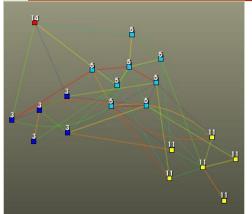
vtkMTGLCommunityFinder vtkMTGLHierarchicalCommunityFinder vtkMTGLSearchEdgeTime vtkMTGLSearchSSSPDeltastepping vtkMTGLSelectionFilterCSG vtkMTGLSelectionFilterST

... list is growing...

Cray XMT: Massively multithreaded platform, great for graph algorithms. ③

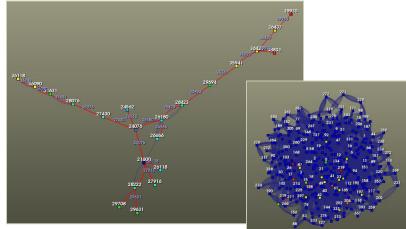


MTGL Python Examples (work information Visualization progress)



Running vtkMTGLCommunityFinding and coloring/labeling the vertices based on the community.

vtkSNL/Examples/Python/Infovis/mtgl_community.py



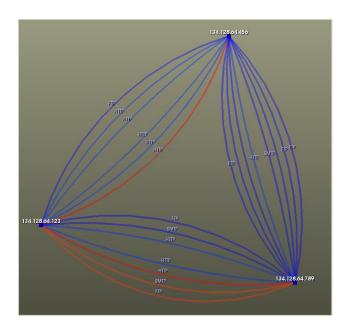
Running vtkBoostTemporalSearchFwd and coloring/labeling the edges and vertices based on earliest 'reachability'.

vtkSNL/Examples/Python/Infovis/temporal_search_test.py



7 Information Visualization

Contingency Statistics Example



Running contingency statistics on network transfers illuminates protocols going over non-standard network ports.

VTK/Examples/Infovis/Python/contingency_port_protocol.py

Demonstrates a conditional probability calculation p(port | protocol).

